## Code: 4GC13

B.Tech. I Year Supplementary Examinations October 2020

# **Engineering Chemistry**

(Common to All Branches)

Max. Marks: 70

Time: 3 Hours

R-14

Answer all five units by choosing one question from each unit (5 x 14 = 70 Marks)

# UNIT–I

- 1. a) What is hardness of water? Mention its units?
  - b) Describe the desalination process by reverse osmosis with a neat sketch.

### OR

- 2. a) Write a note on internal treatment?
  - b) What is break point chlorination? State its significance?

## UNIT–II

3. What are fuel cells? Describe the working principle of methanol-oxygen fuel cell with reactions.

## OR

- 4. a) What is concentration cell corrosion and galvanic corrosion?
  - b) Calculate the standard emf of Ni-Ag cell whose  $E^0_{Ni}$  and  $E^0_{Ag}$  are -0.25 and +0.83 respectively also write cell representation.

## UNIT–III

- 5. a) Distinguish between thermoplastic and thermosetting polymers.
  - b) Write a note on compounding of rubber?

## OR

- 6. a) Describe doped conducting polymers with suitable example.
  - b) Write a note on vulcanization of rubber.

## UNIT–IV

- 7. a) Discuss any five characteristics of a good fuel?
  - b) Classify the fuels with examples?

## OR

- 8. a) Write a note on production and uses of producer gas, water gas and Bio gas.
  - b) Define knocking? Write about octane number?

## UNIT-V

- 9. a) What are lubricants? Write any three properties and applications of lubricants.
  - b) What are refractories? Discuss any three properties of refractories?

## OR

10. Explain the mechanism of (i) thin film lubrication, (ii) thick film lubrication

Hall Ticket Number :								r
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## Code: 4G511

B.Tech. I Year Supplementary Examinations October 2020

# **Engineering Mechanics**

(Common to CE & ME)

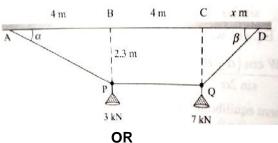
## Max. Marks: 70

Time: 3 Hours

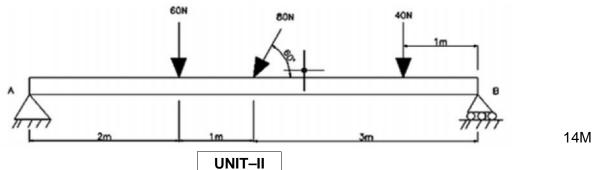
Answer all five units by choosing one question from each unit ( 5 x 14 = 70 Marks )

# UNIT–I

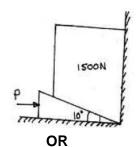
1. Two loads are suspended from flexible cable APQD as shown in fig. Neglecting selfweight of cable, determine the tension in segments AP, PQ, and QD. Also, determine the values of and x.



2. Find the support reactions for the simply supported beam AB loaded as shown in figure.



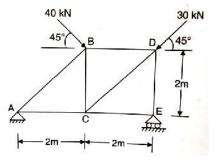
3. A block overlying a 100 wedge on a horizontal floor and leaning against a vertical wall and weighing 1500N is to be raised by applying a horizontal force to the wedge. Assuming the coefficient of friction to be 0.3, determine the minimum horizontal force to be applied to raise the block. As shown in the figure



14M

14M

4. Determine the forces in all the members of the truss shown in fig. Indicate the magnitude and nature of the forces on the diagram.



Code: 4G511

#### UNIT-III

A ladder 5m long and of 250N weight is placed against a vertical wall in a position 5. where its inclination to the vertical is 30°. A man weighing 800N climbs the ladder. At what position will he induce slipping? The co-efficient of friction for both the contact 14M surfaces of the ladder viz. with wall and the floor is 0.2.

OR

- Define the following: 6.
  - i. Friction ii. Angle of friction
  - iii. Limiting friction iv. Cone of friction

### UNIT-IV

A square prism of cross section 200mm x 200mm and height 400mm stands 7. vertically and centrally over a cylinder of diameter 300mm and height 500mm. Calculate the mass moment of inertia of the composite solid about the vertical axis of symmetry if the mass density of the material is 2000kg/m<sup>3</sup>.

#### OR

8. In a steel cylinder with a 20cm base diameter and a 30cm height, a vertical hole of 4cm base diameter is drilled upto half the depth from the top and the portion is filled with lead, whose density is 11370 kg/m<sup>3</sup>. Determine the centre of mass of the composite body. Take the density of steel as 7850 kg/m<sup>3</sup>. 14M

### UNIT-V

- Two cars are travelling towards each other on a single lane road at the velocities of 9. 12 m/s and 9 m/s respectively. When 100m apart, both drivers realize the situation and applied brakes. Cars are stopped simultaneously at just short of collision. Assume constant deceleration for each case and determine
  - i) Time required for cars to stop
  - ii) Deceleration of each car
  - iii) Distance travelled by each car after applying brake.

#### OR

10. A glass marble, whose weight is 0.2N, falls from a height of 10m and rebounds to a height of 8m. Find the impulse and the average force between the marble and the floor, if the time during which they are in contact is 1/10 of a second. 14M

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14M

14M

14M

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					Γ		NIT-I										
1.	a)	Write short notes	on p	hysic	al op												4
	b)	Explain the Frau	nhofe	r diffr	actio	n due	e to s	ingle	slit.								10
							OR										
2.	a)	Describe the He-	Ne la	sers	and i	ts ap	plicat	tions									7
	b)	Discuss the princ	ciple a	and w	orkin	g of :	semi	cond	ucting	g lase	er.						71
						UN	IIT–II										
3.	a)	What are Miller in	ndice	s? Ex	plain	the	proce	edure	e for f	indin	g Mi	ller	indi	ces.	Give	one	7
	<b>ل</b> م)	example Draw the planes	(211)	(10)	)) on	d an	d (22	20)									71
	b)	Draw the planes	(211)	, (100	<i>)</i> an	Jan	u (22 OR										71
4.		Prove that FCC i	s mor	e clo	selv ı	back			CC a	nd S(	С.						14
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F	2)	State and evoluin		onho			IT–II		inlo								71
5.	<ul> <li>5. a) State and explain Heisenberg uncertainty principle</li> <li>b) Define de-Broglie dual nature of energy and derive its wavelength</li> </ul>									7  7							
	D)		uua	natu		CHEI	OR		iive i	13 100		ngt	11				71
6.	a)	Define matter wa	ives a	ind w	rite tł	neir p	_										7
	b)	Derive Schröding				•	•										7
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7.	2)	Write about intrin	eic a	nd av	trinci		IT-IV		ore								6
7.	a) b)	Derive the expl								carr	ior d	nor	∽≏nt	ratio	n in	the	UI UI
	0)	conduction band				•			lige	can		011	5011	rain		the	8
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8.	a)	State and explair	n Hall	effec	:t.												5
	b)	Derive the expression		for H	all co	oeffic	ient a	and d	liscus	s the	e imp	orta	ance	e of	Hall e	effect	91
		in semiconductor	S.														91
						UN	IIT–V	,									
9.	a)	Define supercon		•													6
	b)	Describe the effect	ct of r	nagn	etic f	ield, l			ent a	nd iso	otope	es o	n su	perc	condu	ctors	8
40	- \	Doporibo co 9 de		nhac	n'a -	ffeet	OR										-
10.	a)	Describe ac & do		•			,	ff e =1									51
	b)	Mention the appl	icatio	ns of	JOSE	-	)n′s e ∗∗	itect									91

	all Ticket Number : R-14
Сс	bde: 4GC14 B.Tech. I Year Supplementary Examinations October 2020
	Mathematics-I
	( Common to All Branches )
	Max. Marks: 70 Answer all five units by choosing one question from each unit ( 5 x 14 = 70 Marks )
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a)	<b>UNIT–I</b> The temperature of the body drops from 100 <sup>o</sup> c to 75 <sup>o</sup> c in ten minutes when the surrounding
u)	air is at 20°c temperature. What will be its temperature after half an hour?
b)	Apply the method of variation of parameters to solve $\frac{d^2y}{dx^2} + y = \cos ecx$
	$dx^2$ OR
a)	Prove that system of parabolas $y^2 = 4a(x+a)$ is self-orthogonal.
b)	Solve $(D^2+4)y = \cos x$
	UNIT-II
a)	Obtain the maclaurins series expansions of the following function (i) $e^x$ (ii) $\sin x$ (iii) $\cosh x$
b)	
D)	If $u = x^2 - 2y$ , $v = x + y + z$ , $w = x - 2y + 3z$ find $\frac{\partial(u, v, w)}{\partial(x, y, z)}$
	OR
a)	Verify Rolle's theorem for $f(x) = 2x^3 + x^2 - 4x - 2$ in $\left[-\sqrt{3}, \sqrt{3}\right]$
b)	Find the maximum and minimum value of $x^3 + y^3 - 3axy$
a)	
	Trace the curve $r = a(1 + \cos \pi)$
D)	Evaluate $\iint (x^2 + y^2) dx dy$ in the positive quadrant for which $x + y \le 1$ OR
a)	Trace the curve $r = a(1 + \cos \pi)$
	Evaluate $\iint (x^2 + y^2) dx dy$ in the positive quadrant for which $x + y \le 1$
5)	<b>UNIT-IV</b>
a)	Find the Laplace transform of $e^{-3t} (2\cos 5t - 3\sin 5t)$
b)	Find the inverse Laplace transform of $\log\left(\frac{s+3}{s+4}\right)$
~)	
	OR (1 anat)
a)	Evaluate $L\left\{\frac{1-\cos t}{t}\right\}$
b)	Using Convolution theorem, find $L^{-1}\left\{\frac{s}{\left(s^{2}+a^{2}\right)^{2}}\right\}$
a)	<b>UNIT-V</b> Find the angles between the surface $x^2 + y^2 + z^2 = 9$ and $z = x^2 + y^2 - 3$ at the point
	(2,-1,2)
b)	If $\overline{f} = (5xy - 6x^2)\overline{i} + (2y - 4x)\overline{j}$ , evaluate $\int \overline{f}.d\overline{r}$ along the curve 'c' in xy-plane
-	c
	$y = x^3$ from (1,1) to (2,8).
a)	(i) If $\overline{f} = (x+3y)\overline{i} + (y-2z)\overline{j} + (x+pz)\overline{k}$ is solenoidal, find p.
	(ii) Find curl $\overline{f}$ where $\overline{f} = grad(x^3 + y^3 + z^3 - 3xyz)$ .
b)	Evaluate by Green's theorem $\int (y - \sin x) dx + (\cos x) dy$ where 'c' is the triangle
	enclosed by the lines $y = 0, x = \frac{f}{2}, f y = 2x$
	enclosed by the lines $y = 0, x = \frac{1}{2}, f y = 2x$

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	B.Tech. I Year Supplementary Examinations October 2020													
	<b>Programming in C and Introduction to Data Structures</b> ( Common to CE, EEE, ME and ECE )													
		arks: 70 ver all five uni	-				e qu					-	5 x 14	Time: 3 Hours = 70 Marks )
UNIT-I 1. a) What is a variable? What are the rules for declaring variables? Give examples of valid and invalid variables b) What is an algorithm? Describe the characteristics of an Algorithm													e examples of	
	b) What is an algorithm? Describe the characteristics of an Algorithm OR													
2.	2. Explain the software development method in detail.													
3.	3. a) What are the relational operators? Explain with example.													
	b) Write a program to find biggest of three numbers.													
	OR													
4.	a)	a) Explain various iterative statements available in C language with examples.												
	b) Write a program to find out whether the given number is Armstrong or not?													
								IT–II						
5.	a)	What is libra									rary f	uncti	ons.	
	b)	What is a po	inter	? Exp	olain i	in det	tail al		point	ers.				
0	- )	Define a rec	urois	o fuu	action	-2 14	rita	OR	roar		o fin	d +b a	factor	ial of a given
6.	a)	integer using					me a	a C	Jiogi	amt	o nne	u the	actor	ial of a given
	b)	Write a prog	ram i	n C t	o sea	arch f	or ar	elen	nent	using	Line	ar se	earch te	echnique
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7.	a)	What is a I examples	FILE	? Ex	plain	the	form	atteo	l inp	ut ar	nd o	utput	functi	ons and give
	b)	Write a prog	ram f	or so	rting	giver	n nur	nbers	s usir	ig bul	bble	sort t	echniq	ue
							_	OR						
8.		Write and e technique	explai	n th	e pro	ogran	n foi	sor	ting	given	nur	nber	s using	g bubble sort
9.		Define Stack	. Exp	olain	in de <sup>.</sup>	tail al		IIT–V stack		ratior	ıs.			
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10.			ed list	t? Wi	rite a	C pr	ogra	m to	demo	onstra	ate q	ueue	s using	g single linked
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Hall Ticket Number :							
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## Code: 4G512

B.Tech. I Year Supplementary Examinations October 2020

# **Engineering Graphics**

(Common to CE & ME)

Max. Marks: 70

Time: 3 Hours

Answer all five units by choosing one question from each unit ( $5 \times 14 = 70$  Marks)

# UNIT–I

1. Construct an ellipse, when the distance of the focus from the directrix is equal to 55mm and eccentricity is <sup>3</sup>/<sub>4</sub>. Also draw tangent and normal to the curve at a point 40mm from the directrix

## OR

2. Construct a parabola, when the distance of the focus from the directrix is 50mm. Also draw the tangent on normal to the curve at a point 35mm from the directrix.

## UNIT–II

3. Draw the projections of a regular hexagon of 25mm side, having one of its sides in the HP and inclined at 60° to the VP and its surface making an angle of 45° with the HP.

## OR

4. A line AB, 65mm long, has its end A 20mm above the H.P. and 25mm in front of the V.P. The end B is 40mm above the H.P. and 65mm in front of the V.P. Draw the projections of AB and show its inclinations with the H.P. and the V.P.

## UNIT-III

5. A pentagonal pyramid with side of base 30 and axis 60mm long is resting with its base on HP and one of the edges of its base is perpendicular to VP, It is cut by a section plane, parallel to HP and passing through the axis at a point 35 above the base. Draw the projections of the remaining solid.

## OR

6. Draw the projections of a pentagonal prism, base 25mm side and axis 50mm long, resting on one of its rectangular faces on the HP, with the axis inclined at 45° to the VP

## UNIT–IV

7. A pentagonal pyramid, side of base 30 mm and height 60 mm, stands with its base on H.P and an edge of the base is parallel to V.P. It is cut by a plane perpendicular to V.P, inclined at 40° to H.P and passing through a point on the axis, 32 m above the base. Draw the sectional top view and develop the lateral surface of the truncated pyramid

## OR

8. A cone of base 50 mm diameter and height 65 mm rests with its base on H.P. A section plane perpendicular to V.P and inclined at 30o to H.P bisects the axis of the cone. Draw the development of the lateral surface of the truncated cone.

## UNIT–V

- 9. Draw an isometric projection of
  - i) A Square plane of side 40mm
  - ii) A rectangular plane 60mmX80mm. Both in the horizontal and the vertical plane

### OR

10. Draw the isometric projection of a circle of diameter 50mm with its plane horizontal and vertical.