	ŀ	Hall Ticket Number :												Г		
	C	ode: 5G111		<u> </u>			<u>[</u>					1				R-15
	I	I B.Tech. I Serr Problem Solvir Max. Marks: 70 Answer any five full qu	ng T	ech (niq Cor	ues nmc	and on to	d Int All E	rod Bran	ucti ches	ion s)	to C	C Pr	ogi	r am ı Time	ming e: 3 Hours
						Γ		*****								Marks
1.	a)	UNIT–I a) Give a comparison between system and application software's with examples.														7M
	b)	List and explain vario	ous s	ymbo	ols u	sed i		vcha)R	rts w	ith fiç	gures	6				7M
2.	a)	Discuss about different computer languages with examples.												7M		
	b)	Explain in detail about the software development method.												7M		
3.	a)	What are bitwise logical operators? Explain about bitwise logical operators with suitable programming example.														vith 7M
	b)	Evaluate the following expressions: (i) a*(3+b)/2-c++ *b where a=3,b=4 and c=5 (ii) !(4+5*0>=6-4) OR														7M
4.	a)														7M	
	b)	What is the need of e sequences.	escap	be se	quer	nce?			ampl	e pro	gran	n to	illust	rate	esca	pe 7M
5	2)				6	41		IT–III		:- 4h			4	- 6 4	() I	
5.	a)	Give the control flow diagram of the for loop. How is the execution of 'for' loproceeds?													for ic	op 7M
	b)															7M
6	a)	Explain counter cont	OR											7M		
0.	b)	•	Explain counter-controlled and c ondition-controlled loops with examples. Write a C program to find the sum of first and last digit of a number										7M			
7	·	UNIT-IV														
1.	a)	What are the different types of arrays in C? Explain with a suitable example, array declaration, initialization and accessing of the elements for these different types.												ray 7M		
	b)	Write a C program to accept 3x3 matrix and display elements of the matrix. OR												7M		
8.	a)	Explain any five strin	a ma	nipu	latior	ո fun			n exa	mple	9					10M
	b)	Write a program to find highest and smallest number in the given array.										4M				
9.	a)	Write a C program to	exc	hang	e the	e valu	le of	two i	nteg	ers u	sing	call	by re	efere	ence.	7M
	b)													7M		
0	a)	Define scope. Briefly		ain H		0000)R	and	icihi	lity of	flda	ntific	۰r		7M
5.	b)	Explain about pre-pre-	•			•					nty U	ilue	inne	7 1.		7M
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	Hall Ticket Number :
	R-15
	Code: 5GC14 I B.Tech. I Semester Supplementary Examinations March/April 2023
	Engineering Mathematics-I
	(Common to All Branches)
	Max. Marks: 70 Time: 3 Hours
	Answer any five full questions by choosing one question from each unit (5x14 = 70 Marks)
	UNIT-I
4	
1.	Solve the differential equation $(x+1)\frac{dy}{dx} - y = e^{3x}(x+1)^2$
	OR
2.	Find the Orthogonal trajectories of the family of curves $y = ax$
3.	UNIT-II Using the method of variation of parameters, solve $(D^2 + 4)y = \tan 2x$
0.	Osing the method of variation of parameters, solve $(D^2 + 4)y = tan 2x$ OR
4.	Solve $(D^2 + 4)y = x^2 + \cos 2x$
	20100 (D + 1)) = x + 2032x
	UNIT–III
5.	Test of convergence of the series $\frac{1}{1.2.3} + \frac{3}{2.3.4} + \frac{5}{3.4.5} + \dots \infty$
0.	
	OR
6.	Test for convergence of the series $\sum \frac{n^3}{3^n}$
	5
	UNIT-IV
7.	If $u = x^2 - 2y, v = x + y + z, w = x - 2y + 3z$, then find $\frac{\partial(u, v, w)}{\partial x}$
7.	$\frac{1}{\partial (x, y, z)}$
	OR
8.	Find the maximum and minimum values of $x^3 + 3xy^2 - 15x^2 - 15y^2 + 72x$
9.	UNIT-V Trace the curve $x^3 + y^3 = 3axy$
	\mathbf{OR}
10.	Trace the curve $r = a \sin 3_{\mu}$
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	Hall T	icket Number													
	Code	5GC15												R-15	
		B.Tech. Sei	nest	er Su	laqu	eme	ntary	/ Exai	nina	tion	s Mar	ch//	April	2023	
								I Me				-	•		
	(Common to CSE & IT) Max. Marks: 70 Time: 3 Hours														
		Marks: 70 er any five full (quest	ions k	by ch	oosin	g one *****	•	tion fr	om e	each u	nit (5		e: 3 Hours 70 Marks)	
						ι	JNIT-I								
1.		olve the system													7M
		educe the matri	0	1 2	-2]									
	b) Re	educe the matri	(4	0 2	6	to r	normal	form a	ind he	ence f	ind the	rank			
			2	1 3	1										7M
_	OR														
2.													, 2x+3	y+pz=q have	14M
(i) No solution (ii) Unique solution (iii) An infinite number of solutions.															
								 [1	0 –	1]					
3.	Fi	nd the matrix P	which	n trans	sform	the m	natrix A	$A = \begin{bmatrix} 1 \\ 1 \end{bmatrix}$	2 1	to t	he diac	onal	form.		
									2 3		·				14M
								∪ OR							14111
						Γ1		_							
4.	D	etermine the mo	dolm	otriv	D of /		1		vrifv th	ot D	⁻¹ A D ic	h a di	adona	Imatrix	
4.	De		uern				4 4		iny u			aau	ayone		
															14M
_	-			1.	2		NIT-II		10	-					
5.	Reduce the quadratic form $10x^2 + 2y^2 + 5z^2 - 4yz - 10zx + 5xy$ to the canonical form by linear transformation.													14M	
								OR							1 - 1 1 1
6.	De	efine Hermitian,	skew	-Hern	nitian	. Unita	ary Ma	trices	and gi	ve ex	ample	for ea	ach		14M
0.		,					, NIT–I\		0		•				14111
7.					<i>.</i>					000	·	a ^x			
		sing the bisectic	n me	thod, '	find a	real	root of	the eq	uatior		x = x	e co	orrect	to three	14M
	uc	decimal places. OR													14111
8.	-	ad the real m		h		r l			h					anno at ta fai	
0.		nd the real roo cimal places.	i of t	ne eq	uatio	J	\mathcal{B}_{10}	. — 1.2	ру К	eguia	u-iaise	meti			14M
	ue	יסווומ אמטבא.					NIT-V	/							1-111
9.	Fi	nd $f(2.5)$ using	New	ton's	forwa	L			e follo	wina	table.				
				0		1	2	3		4	5		6		
		у		0		1	16	81		256	625	; 1	296		14M
		y		Ŭ		-		OR			020				1 -1111
10.		$\frac{6}{1}$	dr 6		og /:) \//~~	Idlo's -		Simn	eon'e	₂/o th ⊷	ulo.			
10.		valuate $\int_{0}^{6} \frac{1}{1+x^2}$	их, С	y usii	iy (I	, wec		ue (II)	Sinp	5011 5	3/0° [uie.			14M
