Hall Ticket Number :		
Code: 20A322T	R-20	
I B.Tech. II Semester Regular & Supplementary Examinations July <b>Engineering Graphics &amp; Design</b> (Mechanical Engineering) Max. Marks: 70	/ 2023 ne: 3 Hours	
Answer <i>five full</i> questions by choosing one question from each unit (5 x 14 = 70 ********		
	Marks CO	BL
<b>UNIT-I</b> 1. a) A hexagonal pyramid of base side 30 mm and height 60 mm is resting on HP on one of its base corners such that the axis is inclined at 45° to HP and parallel to VP. Draw its		
projections.	7M co1	L3
<ul> <li>b) Draw projections of a right circular cylinder of base 45 mm diameter and 60 mm long when it lies on HP such that its axis is inclined at 30° to HP.</li> <li>OR</li> </ul>	7M co1	L3
<ol> <li>A square prism side of base 30 mm and axis 50 mm long has its axis inclined at 60° to HP. It has an edge of its base in the HP and inclined at 45° to the VP. Draw its projections.</li> </ol>	14M co1	L3
3. A hexagonal prism, side of base 30 mm and axis 60 mm long, lies with one of its rectangular faces on HP, and its axis inclined at 30° to the VP. A section plane perpendicular to HP and parallel to VP cuts the prism into two halves. Obtain its top and sectional front views.	14M co2	2 L3
4. A square pyramid of side of base 25 mm and height 60 mm rests on the base with a base edge 45° inclined to VP. It is cut by a plane perpendicular to the VP and inclined at 45° to the HP meeting the axis at 25 mm from the vertex. Draw the plan, elevation and true shape of the section.	14M co2	2 L3
5. A pentagonal pyramid side of base 30 mm and height 52 mm stands with this base of HP and an edge of base is parallel to VP and nearer to it. It is cut by a plane perpendicular to VP inclined at 40° to HP and passing through a point on the axis 32 mm above the base. Draw the sectional top view and	1414	\
develop the lateral surface of the truncated pyramid. OR	14M coa	3 L4
6. A cylinder of 60 mm diameter and axis 80 mm long stands with its base on HP. It is completely penetrated by a horizontal cylinder of 40 mm diameter and axis 80 mm long such that their axes bisect each other at right angles. The axis of the penetrating cylinder is parallel to VP. Draw the projections showing curves of intersection.	14M cos	3 L4

## UNIT–IV

- 7. a) Draw an isometric view of frustum of a cone with a 60 mm base diameter, 40 mm top diameter and 70 mm long axis, resting on its base on the HP.
  - b) Draw isometric view of a hexagonal prism having a base with 30 mm side and a 70 mm long axis resting on its base on the HP with an edge of the base parallel to the VP.

7M CO4 L4

7M CO4 14

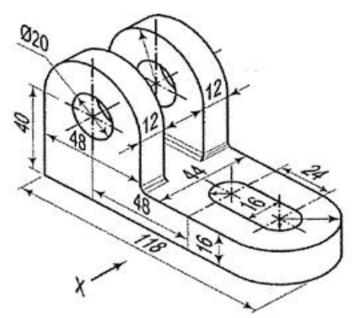
OR

8. A sphere of radius 20 mm is kept on the top face of a square prism of side of base 40 mm and height 20 mm. The latter is placed on the top face of a cylinder of 65 mm diameter and 25 mm height. All the three solids have the common axis. Draw the isometric projection of the combination of solids.

14M CO4 L4

## UNIT–V

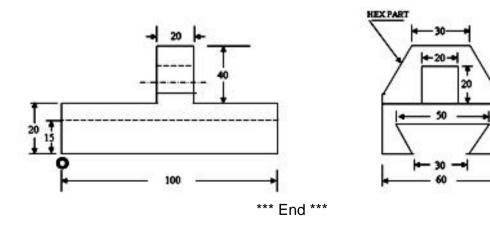
9. Draw the front view, top view and side view for the following figure.



14M CO5 L4

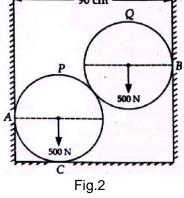
OR

10. Draw the isometric view of the following figure.



14M CO5 L4

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	I B.Tech. II Seme	ester	Reg	gulc	ar &	Sup	pler	ner	ntary	' Exc	amir	nation	s July 2023		
				-	nee	_									
Mc	ax. Marks: 70		(	Cor	nmc	on to	D CE	anc	ME	)			Time: 3 Hc	u irc	
IVIC	IX. MOINS. 70					****	****	*					11116.0110	013	
Not	te: 1. Question Pape				-				and <b>I</b>	Part-	B)				
	<ol> <li>In Part-A, each</li> <li>Answer ALL</li> </ol>	-							•t_R						
	5. This wei ALL	ine qu	iesti	0115	111 <b>I</b> C		RT-A		ι-D						
				(0	Comp	-			on)						
1.	Answer ALL the fol	lowin	g sh	ort	ansv	ver o	quest	tions	5	(5X	2 =	10M)	CO	BL	
a)	State the Parallelog	-											1	2	
b)	Define the terms ar	ngle o	of fric	tion	and	angl	e of r	epos	se.				2	1	
c)	Distinguish betwee	n Cer	ntroio	d and	d Cei	ntre	of gra	avity.					3	4	
d)	Define the terms A	ngulai	r vel	ocity	and	Ang	ular	acce	lerati	on			4	1	
e)	State the principle	of con	nserv	/atio	n of e								5	2	
	Answer <i>five</i> questi	one h	v oh	oocii	na on		<u>RT-B</u>	-	m og	oh u	nit ()	5 v 12 -	- 60 Marke )		
	Answei jwe questi		y cho	00511	ig on	le qu	estio	11 11 0	ill Ca	ich u	mt ( .	5 X 12 ·	– 00 Marks ) Marks	со	
						UN	IT-I								
a)	Classify the system	n of fo	orces	s witl	h nea	at sk	etche	es					5M	1	
b)	Determine the res Fig. 1.	ultant	t of f	four	force	es co	oncui	rrent	at th	ne or	igin :	as sho	wn in		
				2 200 N	2	2	4	400	0 N N						
						Fig.1							7M	1	
	<b>.</b>					0	R								
a)	State and prove Va	0					~-						5M	1	
b)	Two smooth sphere horizontal channel h the walls is 90cm. C	naving	vert	ical v	walls ctions	as s	hown ooints	in F	ig.2.	If the	dista	ance be			



12M

4M

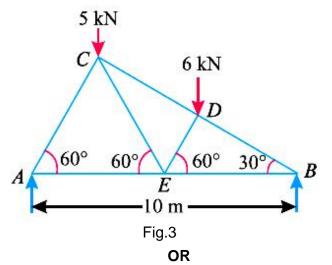
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2

3

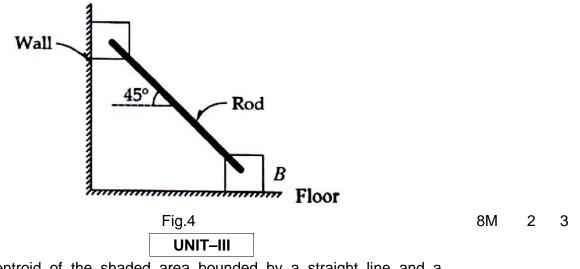
2

4. A truss of span 10 metres is loaded as shown in Fig.3. Find the reactions and forces in the members of the truss.

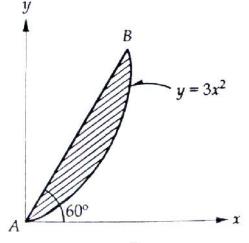


UNIT-II

- 5. a) Explain briefly about Wedge friction
  - b) Two identical blocks A and B are connected by a rod and rest respectively against vertical wall and horizontal floor as shown in Fig.4. The sliding motion of the block impends when rod makes an angle of 45<sup>o</sup> with the horizontal. Calculate the coefficient of friction assuming it to be same both at the floor and wall.



6. Find the Centroid of the shaded area bounded by a straight line and a parabola as shown in Fig.5.



12M 3 3

7. Find the moments of inertia of the I-Section shown in Fig.6 about the centroidal axes.

		10 cm			
		2 cm - 30 cm			
		$\frac{1}{2}$ cm			
		Fig.6	12M	3	3
8.		UNIT-IV			
0.		A particle moves along a straight line so that its displacement is metre from a fixed point is given by, $S = 2t^3+4t^2-6t+8$ . Determine: ( <i>i</i> ) velocity at start,			
		(ii) velocity after 5 seconds, (iii) acceleration at start and (iv) acceleration after			
		5 seconds.	12M	4	3
_		OR			
9.	a)	A wheel, rotating about a fixed axis at 20 rpm, is uniformly accelerated for 70 seconds, during which time it makes 50 revolutions. Determine: (i) Angular			
		velocity at the end of this interval, and (ii) time required for the speed to reach			
		100 revolutions per minute.	8M	4	4
	b)	Explain briefly about Plane motion.	4M	4	2
		UNIT–V			
10.		A train of weight 2000 kN moves down a slope of 1in 150 at 18 km/hr and			
		engine develops a power of 35 kW. If the train is pulled up at the same speed, Calculate power required to pull the train.		_	•
			12M	5	3
		OR			
11.		Two blocks weighing 100 N and 40 N are supported at the ends of a rope of negligible weight which is passing over the rough surface of a pulley mounted			
		on a horizontal axle. The pulley may be assumed as a solid disc with a			
		weight of 50N.Friction in bearings of the pulley may be neglected. Find the			
		tension on the two parts of the two ropes and the linear acceleration of the blocks.	12M	5	3
		*** End ***	1 2111	5	5

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1.	Engineering Materials	JUIY 202	0	
	(Mechanical Engineering)			
Max. I	Marks: 70	Time: 3 I	Hours	
2	<ol> <li>Question Paper consists of two parts (Part-A and Part-B)</li> <li>In Part-A, each question carries Two marks.</li> <li>Answer ALL the questions in Part-A and Part-B PART-A</li> </ol>			
	(Compulsory question)			
1. <b>Ans</b>	wer ALL the following short answer questions $(5 \times 2 =$	10M)	СО	BL
a) Defir	ne alloy.		CO1	L1
b) Defir	ne two component eutectic system.		CO2	L1
c) Give	classification of castirons.		CO3	L1
d) Diffe	rentiate hardenability and hardness.		CO4	L2
e) List t	he properties of cermets.		CO5	L1
	PART-B			
Ansv	ver <i>five</i> questions by choosing one question from each unit ( 5 x 12		•	
		Marks	CO	BL
2. a)	<b>UNIT–I</b> Write about crystal, space lattice and unit cell.	6M	4	1.4
		-	1	L1
b)	Draw B.C.C and F.C.C structures and calculate the atomic packing factor for B.C.C, F.C.C structures.	6M	1	L2
	OR	0111	I	LZ
3. a)	Define solid solution and explain the types of solid			
0. uj	solutions.	6M	1	L1
b)	Write about Hume Rotherys rules with examples.	6M	1	L2
2)		cirri	•	LZ
4. a)	Explain phase rule and lever rule.	6M	2	L1
b)	Write short notes on Peritectics and Eutectoits.	6M	2	L1
,	OR			
5. a)	Sketch neatly the ideal iron-carbide binary equilibrium			
,	diagram, indicating temperature, composition and			
	different phases present.	12M	2	L2
	UNIT–III			
6. a)	Classify steels on carbon content and discuss on the			
	properties and application of various types of steels.	12M	3	L1

7. a)	Explain the composition, structure, properties and applications of any two cast irons.	6M	3	L1
b)	Explain the structure and properties of copper and its alloys.	6M	3	L1
	UNIT–IV			
8. a)	Discuss the effect of alloying elements on Fe-Fe <sub>3</sub> C phase diagram.	6M	4	L2
b)	What are the different heat treatment processes? Explain any two.	6M	4	L1
	OR			
9.	Explain TTT diagram in detail with an example.	12M	4	L2
10.	Discuss the properties and applications of the following ceramics (a) Silica (b) Zirconia (c) SiC (d) Cubic boron			
	nitride	12M	5	L1
	OR			
11. a)	List the advantages and application of composites.	6M	5	L1
b)	How composites are manufactured? Explain any one method in detail.	6M	5	L2

Hall Ticket Number :			
	R-20		
Length Code: 20AC24T I B.Tech. II Semester Regular & Supplementary Examinations Jul	v 2023		
	, 2020		
(Common to CE & ME )			
Max. Marks: 70 Tir	me: 3 H	ours	
<ul> <li>Note: 1. Question Paper consists of two parts (Part-A and Part-B)</li> <li>2. In Part-A, each question carries Two marks.</li> <li>3. Answer ALL the questions in Part-A and Part-B</li> <li>PART-A</li> </ul>			
(Compulsory question)			
1. Answer ALL the following short answer questions $(5 \times 2 = 10 \text{ M})$	) (	CO E	3L
a) What is center of mass?	,	01 L	2
b) What are Ultrasonics?	С	02 L	.1
c) Write any two applications of Dielectrics.	С	03 L	.3
d) What is Population Inversion?	С	04 L	2
e) What is the use of a Pyro electric detector?	С	05 L	.3
PART-B			
Answer <i>five</i> questions by choosing one question from each unit ( $5 \ge 12 = 60$ )	Marks )		
	Marks	со	BL
UNIT–I	Marko	00	DL
2. a) Explain conservative force and prove that conservative			
force is divergence of potential energy.	10M	CO1	L2
b) Define torque.	2M	CO1	L1
OR			
3. Explain the non-inertial frame of reference with constant			
angular velocity.	12M	CO1	L2
UNIT–II			
4. Derive Sabine's law by growth and decay method.	12M	CO2	L3
OR			
5. a) Explain the production of Ultrasonics by Piezo electric method.	6M	CO2	L2
b) Write a note on Non Destructive Testing.	6M	CO2	L3
UNIT-III			
6. a) Derive Clausius-Mossotti equation.	8M	CO3	L3
b) Define ionic polarizability and write its equation	4M	CO3	L1

7.	a)	Classify the different types of Magnetic materials and mention any three properties.	9M	CO3	L2
	b)	Explain the Hysteresis loop.	3M	CO3	L2
	,	UNIT-IV			
8.	a)	List the applications of laser.	4M	CO4	L2
	b)	Describe the Construction and Working of He-Ne gas Laser.	8M	CO4	L2
		OR			
9.	a)	Explain the construction of optical fibre.	4M	CO4	L1
	b)	Classify the types of Optical Fibres.	8M	CO4	L2
		UNIT–V			
10.		Explain Piezo electric and magneto strictive sensors.	12M	CO5	L2
		OR			
11.	a)	What is a sensor? Explain.	4M	CO5	L2
	b)	Explain the working of thermal sensors.	8M	CO5	L2
		*** <b>–</b> – 1 ***			

\*\*\* End \*\*\*

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	Cod	e: 20AC21T				]	1			R-20	)		
		B.Tech. II Seme	ster Regula	r & Supp	olemer	ntary	Exar	nino	ations	July 202	3		
		Differe	ential Equ					Cal	culus				
	Мах	. Marks: 70	(Corr	nmon to	all Bran	iches)				Time: 3	Hours		
	NL-4-	1 Oracita Deserv	· · · · · · · · · · · · · · · · · · ·	*****		I D.	4 D						
	Note	<ol> <li>Question Paper</li> <li>In Part-A, each</li> <li>Answer ALL th</li> </ol>	question carr	ies <b>Two</b> I	marks.		art-B	)					
			( <b>A</b>	PAR									
1	Δρεινιο	r ALL the followi		ompulsor	• •		(5)	().	_ 10M	)	<u> </u>	`	וח
1.		d the particular i								)	CC		BL
		te the second o		1000	aeer E							1 2	2 3
			•			•		UIII	1			3	2
		d the partial difference differe				хтоу						4	3
		te Stoke's Thore		_ J <sub>×yz</sub>	2							5	3
	0) 010		CIII	ПАП	тр							-	Ū
		Answer <i>five</i> question	ons by choosir	PAR ng one qu		om ea	ch un	it (5	x 12 = 0	60 Marks)	)		
										Marks	CO	В	L
				UN	IT–I								
	2.	Solve (	$e_{\mathcal{Y}} = e^{\left[e_{2x}\right]}$	UN + <i>sin2</i>	$\frac{ \mathbf{T}-\mathbf{I} }{ \mathbf{T}-\mathbf{I} }$	1				12M	1		3
				Ô	R								
	3.	Using variation	n of param	eter to :	solve	$\frac{d^2y}{d^2}$ +			12		4		0
		2			T–II	dx2	$a^{2}y$	/ =	secax 12		1		3
	4.	tic				ē			ecax	5			
	4.	Solve $(1 + \frac{1}{x)^2}$	$\frac{d^2y}{dx^2} + (1 +$	$\frac{\left  -\frac{dy}{dx} \right ^2}{\left  \frac{dy}{dx} \right ^2}$	$+\frac{-11}{y} =$	2sin	[10g(	(1 +	<i>x</i> )]	12M	2		3
				0	R								
	5.	An uncharged	l con en	U er of ca	<b>R</b> apacity	, C is	s ch	arg	ed by	,			
		applying an e.	m.f $\frac{Esint}{e^{IIC}}$ .tl	hroug[]	leads	of se	elf-in	duc	ctance	(			
		L and negligib	V 100										
		charge on one	of the pla	tes is $\frac{\vec{E}}{2}$	={sin_	$\frac{t}{\overline{LC}}$ –	$\frac{t}{\overline{LC}}$	cos -	$\left\{\frac{t}{\overline{LC}}\right\}$	12M			•
		0	•		<u>,                                     </u>		√	1	\ <u></u>	I ZIVI	2		3
	6 0)	Form the pe	rtial diffor			n h		limi	notino				
	u. a)	Form the pa			-		-		-				
	I \	arbitrary function						5 (1	– <i>ui</i> )	6M	3		3
	b)	Solve	$\sin f$ and $g$ $(z) = \frac{1}{2} $	from = -x)q =	$= \int G$ $= \mathbb{Z}^{2} (\mathbb{Z})^{\infty}$	- 2				6M	3		3

## OR

		••••			
7.		Using the method paration of variables, solve $\frac{\partial u}{\partial x} = 2 \frac{\partial u}{\partial t} + \frac{1}{u} \text{ where } u(x, 0) = 6e^{-3x}$			
		SOIVE $\partial x = \frac{1}{2} \partial t + u$ where $u(x, 0) = 6e^{-3x}$	12M	3	3
		UNIT-IV			
8.	a)	Find the directional derivative of $\frac{-6e^{-3x}}{-1x}$			
		the point (2,-1,1) in the direction $G_{f(x,y,z)} = xy^2 + yz^3 a_t^t$ the point (2,-1,1) in the direction $G_{f vector} \overline{\tau} + \overline{j} + \overline{k}$ .	6M	4	3
	b)	the print (2, -1) between the surfaces $\frac{-y}{2}, \frac{z}{2}, \frac{-2}{3}, \frac{-2}{2}, \frac{-2}{3}, \frac{-2}{$			
		$z = x^2 + y^2 - 3$ at the point (2,-1, 2).	6M	4	3
		OR			
9.		OR ;tor			
		Find constants a,b,c so that the $ve_{\overline{f}} + (4)$			
		$A = (x + 2y + az)\bar{\iota} + (bx - 3y - z)J_{\bar{A}} - \nabla (t + cy + 2z)\bar{k}$	12M	4	3
		UNIT-V			
10.		Verify Green's theorem for $\int_{c}^{L} [(\frac{\mathbf{T} - \mathbf{V}}{(\mathbf{y} + y^{2})} a_{x + x^{2} dy}]$			
		where C is bounded by y=x and $y = x_2$	12M	5	3
		OR			
11.		Verify Stoke's theorem for $\frac{\operatorname{and} y}{\operatorname{oR}^2 + 2}$ 2 and $\frac{\operatorname{and} y}{\operatorname{oR}^2 + 2}$ 2 and $\operatorname{around} the \operatorname{rectangle} \operatorname{bounded} \operatorname{by the lines}$			
		$x = \underline{\exists} a, y = 0, y = b$	12M	5	3
		*** End ***			