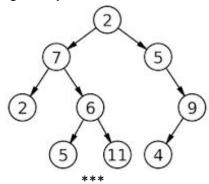
	Hal	I Ticket Number :											]	_		-
	Coo	le: 5G121								<u></u>		<u></u>	]		R-15	
		B.Tech.    \$	Sem	este	er Su	lagu	eme	ento	iry E	xam	nina	tion	s Jui	ne	2024	-
								nd	-							
				(	Cor	nmc	on to	All E	Bran	ches	5)				T	
		ax. Marks: 70 swer any five full qu	vestic	ons b	y ch	noosi	<u> </u>	ne q *****	uesti	on fr	om e	each	unit	(5×	Time: 3 Hours 14 = 70 Marks )	
							U	NIT-	-1							
1.	a)	What is a pointer address of a varial		/hat	are	the f	eatu	res d	of po	ointer	s? V	Vrite	a C	; pr	ogram to print	8M
	b)	Write a C program	to s	wap	two	numt	bers		j poir	nters.						6M
								OR								
2.		Compare array a efficiency.	and	point	ers	in t				nory	effic		y an	nd (	execution time	14M
•	,				.,			NIT-I								-14
3.	a) b)	Define union. List												~~		7M
	b)	Write a program fo	JI SOI	rung	give	n nur	nber	or usin OR	ng se	ecu	onso	on te	CHING	que		7M
4.	a)	Define Structures. accessed	Ехр	lain	with	an e	xam	-	ow s	struct	ure i	nem	bers	are	initialized and	8M
	b)	Write a C program	n to fi	nd th	e giv	/en e	leme	ent us	sing l	ineai	<sup>.</sup> sea	rchir	ıg.			6M
							UN	IIT–I	II							
5.		Write a program to exceptions like Qu	•				•	npty.	ising	arra	ys. T	ake	into a	acco	ount the	14M
6.	a)	What is Data Strue	∽tur≏	2 E yı	nlain	in d	atail	OR abou	t diff	aront	type	ofd	ata s	stru	ctures	7M
0.	,	Write applications			piani	in u	stan	abou	t unit	JICIN	type	. 01 0		siiu	Stares.	7M
	- /						UN	IIT-I	V							
7.		Write advantages insert a given integ											e C f	unc	tion that will	14M
•								OR								
8.		What is a Singly suitable examples		ed Li	st.?	Expl				pera	tions	ofa	a sin	gly	linked list with	14M
0					<b>-</b>			VIT-V		1 - 1 - 1						
9.		Define binary sea search tree.	rcn t	ree.	⊨xpl	ain v	vith e		pie d	leieti	on o	t an	elen	nen	t from a binary	14M
10.		Write the recursive	ماد م	orith	me f	or dif	foror	OR	arv t	roo t	rave	real f	echr	niau	es Find all the	
10.		tree traversals for	•						ary t	100 1				nqu		



14M

Hall	Ticke	t Number :	l
Code	: 5G	C24	
		B.Tech. II Semester Supplementary Examinations June 2024	
		Engineering Mathematics-II (Common to All Branches)	
		rks: 70 Time: 3 Hours ny five full questions by choosing one question from each unit (5x14 = 70 Marks)	
		******** UNIT–I	
1.	2)	$1\sqrt{1-x^2}$	
Ι.	a)	Change the order of integration in $\int_{0}^{1} \int_{0}^{1} y^{2} dy dx$ .	7M
	b)	changing the order of integration $\int_{0}^{4a} \int_{\frac{x^2}{x^2}}^{2\sqrt{ax}} dy dx$	
		4a	7M
		<b>OR</b> <i>a x x+y</i>	
2.	a)	Evaluate $\int_{0}^{a} \int_{0}^{x+y} \int_{0}^{x+y+z} dz  dy  dx$	7M
		Find the area of the plate in the form of a quadrant (1 <sup>st</sup> quadrant )of the ellipse	7 101
	,	$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$	7M
		UNIT-II	
3.	a)	Find $L^{-1}\left\{\frac{1}{(s-1)(s+3)}\right\}$	7M
			7 111
	b)	Find the Laplace Transform of $\left(\sqrt{t} - \frac{1}{\sqrt{t}}\right)^3$	7M
		OR	
4.	a)	Using Convolution Theorem, Evaluate $L^{-1}\left\{\frac{s+2}{s^2-4s+13}\right\}$	6M
	b)	Find the Laplace Transform of $\int_{0}^{t} \frac{e^{-t} \sin t}{t} dt$	
			8M
		UNIT–III	
5.		Solve the differential equation $\frac{d^2x}{dt^2} + 9x = \sin t$ given that	
		$x(0) = 1, x\left(\frac{f}{2}\right) = 1$ using Laplace Transform	14M
		OR	
6.		Solve $y'' + 2y' - 3y = \sin t$ , $y(0) = 0$ , $y'(0) = 0$ Using Laplace Transform	14M

7M

7M

## UNIT-IV

- 7. a) Find the angle between the surface  $x^2 + y^2 + z^2 = 9$  and  $z = x^2 + y^2 3$  at the point (2, -1, 2)
  - b) Show the vector  $(x^2 yz)\overline{i} + (y^2 zx)\overline{j} + (z^2 xy)\overline{k}$  is irrotational and find its scalar potential. 7M

OR

- 8. a) Show that  $div(grad r^n) = n(n+1)r^{n-2}$ 
  - b) Evaluate divergence of  $(2x^2z\,\overline{i} x\,y^2z\,\overline{j} + 3\,y\,z^2\,\overline{k})$  at the point (1,1,1). 7M

## UNIT–V

9. Verify Divergence thermo for  $\overline{F} = (x^2 - yz)\overline{i} + (y^2 - zx)\overline{j} + (z^2 - xy)\overline{k}$  taken over the rectangular parallelepiped  $0 \le x \le a$ ,  $0 \le y \le b$ ,  $0 \le z \le c$  14M

OR

10. Verify by Green's Theorem for  $\int_{c} \left[ (x y + y^2) dx + x^2 dy \right]$  where 'c' is bounded by y = x and  $y = x^2$  14M