| | Ha | II Ticket Number : | | | | | | | | | | | | | |
|-----|---|--|--------|-------|--------|--------|---------------------|----------------|--------|--------------------|--------|---------------|----------|--------|--------------------------|
| | Cor | de: 5G121 | | | | | | | | | | | | | R-15 |
| | I B.Tech. II Semester Supplementary Examinations October 2020 | | | | | | | | | | | | | | |
| | C Programming and Data Structures | | | | | | | | | | | | | | |
| | Mc | ax. Marks: 70 Answer all five uni | ts by | - | | | e qu | All E estio | | | - | unit (| 5 x 14 | | me: 3 Hours) Marks) |
| | | | | | | U | NIT– | l | | | | | | | |
| 1. | a) | What is a pointer? I | - | | | | - | | | | | | | | |
| | b) | b) Write a program to read and display array elements using pointers OR | | | | | | | | | | | | | |
| 2. | a) | What is the use of c | comm | nand | line a | argun | | | | | | | | | |
| | b) | Write a program us | ing p | ointe | rs to | comp | oute | the su | um of | [:] all e | leme | ents i | n an ai | rray. | |
| | | | | | | | | | | | | | | | |
| 3. | a) | a) Define Structures. Explain with an example how structure members are initialized and accessed | | | | | | | | | | | | | |
| | b) | Explain different mo | odes | to op | en a | file | | | | | | | | | |
| | | | | | | | 0 | R | | | | | | | |
| 4. | a) b) | Write a C Program Write a C program | | | - | | - | | | - | | - | Bubbl | e Sor | t. |
| 5. | | UNIT–III What is a stack? How it can be represented in "C" using arrays? OR | | | | | | | | | | | | | |
| 6. | a) | What is Data Struct | ure? | Expl | ain ir | n deta | ail ab | out d | iffere | nt typ | be of | data | struct | ures. | |
| | b) | Write the steps for | evalu | ating | post | fix ex | kpres | sion | | | | | | | |
| | | | | | | | | | | | | | | | |
| 7. | UNIT-IV What is a Singly Linked List.? Explain different operations of a singly linked list with suitable examples. | | | | | | | | | | | | | | |
| 8. | OR What is a Circular Linked List.? Explain different operations of a Circular linked list with suitable examples. | | | | | | | | | | | ked list with | | | |
| 9. | | Define binary searc | ch tre | e. Ex | plain | | NIT- exar | | inser | tion d | of an | elen | nent in | the b | binary search |
| 10. | a) b) | Define the following Define and write ap | | | | - | | | d gra | ıph ii) |) In d | egre | e iii) D | igrapl | h |

| Hall Ticket Number : | | | | | | | | | | | | |
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Code: 5G522

I B.Tech. II Semester Supplementary Examinations October 2020

Engineering Graphics-II

(Common to CE & ME)

Max. Marks: 70

Time: 3 Hours

R-15

Answer all five units by choosing one question from each unit (5 x 14 = 70 Marks)

UNIT–I

1. A pentagonal pyramid 30 mm side of base and axis 75mm long is resting on one of its base corner on H.P. Draw its projections, when its axis is inclined at 45° to H.P and 30° to V.P.

OR

 A cone of base 80 mm diameter and height 100 mm is lying with one of its generators on H.P. Draw its projections when the axis appears to be inclined to the reference line at an angle of 40^o in the top view.

UNIT–II

3. A pentagonal prism, side of base 50 mm and length 100 mm has a rectangular face on the H.P. and the axis parallel to the V.P. It is cut by a vertical section plane, the H.T. of which makes an angle of 30^o with xy and bisects the axis. Draw the sectional front view, top view and true shape of the section.

OR

4. A cone, diameter of base 45 mm and axis 60 mm is resting on its base on the HP. It is cut by a section plane perpendicular to the VP and inclined at 800 to the HP. The section plane passes through the apex. Draw the sectional top view and also obtain the true shape of the cut section.

UNIT–III

5. A square prism of base 50 mm side and height 125 mm stands on the ground with its side of base inclined at an angle of 30^o to VP. It is penetrated by a cylinder of diameter 50 mm and axis 125 mm long. The axis of the cylinder is parallel to both HP and VP and bisects the axis of the prism. Draw the projection showing fully the curves of intersection.

OR

6. A cube of 50 mm long edges is resting on the H.P. with a vertical face inclined at 30[°] to the V.P. It is cut by a section plane, perpendicular to the V.P. inclined at 30[°] to the H.P. and passing through a point on the axis, 38 mm above the H.P. Draw the sectional top view, true shape of the section and development of the surface of the remaining portion of the cube.

UNIT–IV

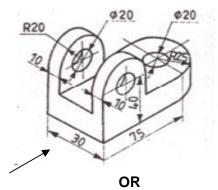
7. Draw the isometric projection of a sphere of radius 25 mm resting centrally on the top of a square prism of side 60 mm and height 25 mm. The sides of the square are equally inclined to V.P.

OR

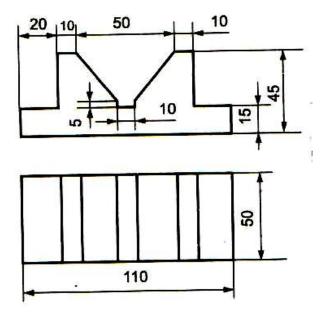
8. The frustum of a hexagonal pyramid side of top and bottom 25 mm and 40 mm respectively, with axis 50 mm height rests on its base in H.P. Its axis is parallel to V.P. Draw its isometric view.

UNIT–V

9. Draw the front view, top view and side view for the following figure



10. Draw the isometric view of the following figure



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| Hall Ticket Number : | | | | | | |
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Code: 5G521

I B.Tech. II Semester Supplementary Examinations October 2020

Engineering Mechanics - Dynamics

(Common to CE & ME)

Max. Marks: 70

Answer all five units by choosing one question from each unit ($5 \times 14 = 70$ Marks)

UNIT–I

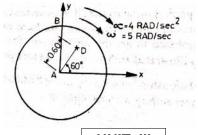
- 1. Three marks A, B, and C at a distance of 100m each are made along a straight road. A car starting from rest and with acceleration passes mark-A and takes 10sec to reach B and further 8sec to reach the mark C. Calculate i). The magnitude of acceleration of car ii). The velocity of the car at A iii). Velocity of car at B iv). The distance of the mark A from starting point.
 - OR
- 2. A projectile is aimed at a mark on the horizontal plane through the point of projection and falls 12m short when angle of projection is 15^o while it overshoots the mark by 24m when same angle is 45^o. Find the angle of projection to hit the mark. Assume no air resistance. Take the velocity of projection same in all cases.

UNIT–II

- 3. a) The angle of rotation of a body is given by the equation $_{\#} = t^3 4t^2 + 10t + 5$ where $_{\#}$ is expressed in radians and t in seconds. Determine i). Angular velocity ii). Angular acceleration of the body when t=0s, and t=5s.
 - b) Derive the equations of motion of a body moving along a circular path with uniform angular acceleration.

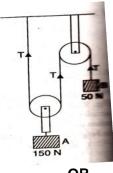
OR

4. A wheel of radius 1m rolls freely with an angular velocity of 5rad/s and with an angular acceleration of 4rad/s², both clockwise as shown in figure. Determine the velocity and acceleration at points B and D.



UNIT-III

5. Determine the tensions in the strings and accelerations of blocks A and B weighing 150N and 50N connected by a string and a frictionless and weightless pulley as shown in figure.



14M

6M

14M

14M

Time: 3 Hours

8M

14M

Code: 5G521

6. Two blocks A and B released from rest on a 30° incline, when they are 18m apart. The coefficient of friction under the upper block-A is 0.2 and that under the lower block is 0.4. In what time block-A reaches the block-B? After they touch and move as a single unit, what will be the contact force between them? Weights of the block-A and block-B are 100N and 80N respectively.

A block starts from rest from 'A'. If the coefficient of friction between all surfaces of contact is 0.3, find the distance of point at which the block stop on the horizontal plane. Assume the magnitude of velocity at the end of slope is same as that at the beginning of the horizontal plane.

- 8. a) A cricket ball of 150g mass moving at 25 m/s is hit by a cricketer and the ball leaves the bat with a velocity of 35 m/s at an angle of 30⁰ to the initial direction. Determine the average force of impulse exerted by the bat on the ball if the contact duration is 1/100th of a second.
 - b) A jet of water issued from a nozzle strikes at the center of a smooth curved vane. The water after striking the vane leaves tangential to the vane at the exit. If the jet diameter is 4mm, the velocity of the jet is 10m/s and after striking, it gets deflected through 120^o, determine the force exerted by the jet of water on the vane.

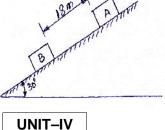
UNIT–V

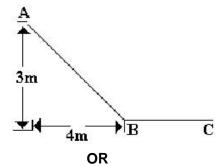
9. The composite pulley shown in figure weighs 800N and has a radius of gyration of 0.6m. The 2000N and 4000N blocks are attached to the pulley by inextensible strings as shown in figure. Neglecting weight of the strings, determine the tension in the strings and angular acceleration of the pulley.

10. A constant force of 100N is applied tangentially on a cylinder at rest, whose mass is 50kg and radius is 10cm, for a distance of 5m. Determine the angular velocity of its centre of mass. Assume that there is no slip.

4000 N

OR







7M

14M

14M

7M

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|-----|---|---|-----|--|--|--|--|--|--|--|
| | | R-15 | | | | | | | | |
| | Code: 5GC24 I B.Tech. II Semester Supplementary Examinations October 2020 Engineering Mathematics-II (Common to All Branches) Max. Marks: 70 Time: 3 Hours | | | | | | | | | |
| | | Answer all five units by choosing one question from each unit (5 x 14 = 70 Marks) ********* UNIT-I | | | | | | | | |
| 1. | a) | Evaluate $\int_{0}^{5} \int_{0}^{x^{2}} x \left(x^{2} + y^{2}\right) dy dx$ $\int_{1}^{1} \sqrt{1 - x^{2}} \sqrt{1 - x^{2} - y^{2}}$ | 7M | | | | | | | |
| | b) | Evaluate $\int_{0}^{1} \int_{0}^{\sqrt{1-x^{2}}} \int_{0}^{\sqrt{1-x^{2}-y^{2}}} x y z dx dy dz$ | 7M | | | | | | | |
| 2. | | Evaluate the integral by changing the order of integration $\int_{0}^{a} \int_{x^{2}}^{2a-x} x y^{2} dy dx$ | | | | | | | | |
| | | $\begin{array}{c} 0 & \frac{x^2}{a} \\ \hline \mathbf{UNIT}-\mathbf{II} \end{array}$ | 14M | | | | | | | |
| 3. | | Find the Laplace Transform of i) $\cos 2t$ ii) $\sin 2t \sin 3t$ | 14M | | | | | | | |
| 4. | a) | OR Write the Laplace Transforms of some standard functions (2, 0 < t < 1) | 7M | | | | | | | |
| | b) | Find the Laplace Transform of $f(t) = \begin{cases} 2, 0 \le t \le 1 \\ 2t, t \ge 1 \end{cases}$ | 7M | | | | | | | |
| 5. | | Solve $y'' + 2y' - 3y = \sin t$, $y(0) = \overline{0}$, $y'(0) = 0$ Using Laplace Transform | 14M | | | | | | | |
| | | OR | | | | | | | | |
| 6. | | Solve $y'' + 2y' + 5y = e^{-t}$, $y(0) = 0$, $y'(0) = 1$ Using Laplace Transform Technique | 14M | | | | | | | |
| 7. | a) | UNIT-IV Find $div \overline{F}$ and $curl \overline{F}$ where $\overline{F} = grad(x^3 + y^3 + z^3 - 3xyz)$ | | | | | | | | |
| 7. | | | 7M | | | | | | | |
| | 0) | Show that $div(grad r^n) = n(n+1)r^{n-2}$ OR | 7M | | | | | | | |
| 8. | a) | Find the angle between the surfaces $x^2 + y^2 + z^2 = 9$ and $z = x^2 + y^2 - 3$ at the point $(2, -1, 2)$ | 7M | | | | | | | |
| | b) | Prove that $\nabla r^n = n r^{n-2} \overline{r}$ where $\overline{r} = x \overline{i} + y \overline{j} + z \overline{k}$ and $r = \overline{r} $ | 7M | | | | | | | |
| | | UNIT-V | | | | | | | | |
| 9. | | Evaluate by stoke's theorem for a vector field $\overline{F} = (2x - y)\overline{i} - yz^2\overline{j} - y^2z\overline{k}$ over the upper | | | | | | | | |
| | | half surface of $x^2 + y^2 + z^2 = 1$ bounded by projection on xy-plane. | 14M | | | | | | | |
| 10. | | OR Verify by Cause Divergence theorem for $\overline{E} = x^3 \overline{i} + x^3 \overline{i} + z^3 \overline{k}$ taken ever the cube bounded | | | | | | | | |
| 10. | | Verify by Gauss Divergence theorem for $\overline{F} = x^3\overline{i} + y^3\overline{j} + z^3\overline{k}$ taken over the cube bounded | | | | | | | | |

by x=0, x=a; y=0, y=a; z=0, z=a

14M

| _ | | | 1 | | | 1 1 | | | | | |
|----|----------|--|----------------------------|-------------------|----------|---------|----------|-------|--------|-----------|----------------------------------|
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| (| Cod | e: 5GC23 | | | | | i | | | | R-15 |
| | | I B.Tech. II Se | mester | Suppl | emen | tary | Exan | nina | tions | octo | ober 2020 |
| | | | | • | neeri | - | - | | | | |
| | - | x. Marks: 70 Answer all five unit | | comma cosing a | one qu | estion | | | - | t (5 x 1 | Time: 3 Hours 14 = 70 Marks) |
| 1. | a) | Explain about vario | ous types | of optic | | | | | | | |
| | с, b) | Discuss the princip | •• | • | | | tina la | aser. | | | |
| | - / | | | 5 | | R | 5 | | | | |
| 2. | | Answer any two of a. Fraunhof b. Einstein's c. Acceptar | er diffract s coefficie | tion. ents. | UNIT | -11 | | | | | |
| 3. | | Describe with suita | able diagr | am the | | | od for | dete | rmina | tion of (| crvstal structure. |
| - | | | 5 | | • | R | | | | | , |
| 4. | | Distinguish betwee | en schottl | ky and F | resnel | defect | s in io | nic c | rystal | S. | |
| | | | | _ | | | | | | | |
| | | | | | UNIT- | -111 | | | | | |
| 5. | a) | What is conductivity | - | - | | | | | | | |
| | b) | Write a note on so | urces of e | electrica | | | of met | al | | | |
| • | , | | | | - | R | | | | | |
| 6. | a) h) | Distinguish betwee | | | | | - | | | | |
| | b) | Describe draw bac free electron mode | | assical 1 | ree ele | ctron | model | and | write | postul | ates of quantum |
| | | | | | UNIT- | -IV | | | | | |
| 7. | a) | Explain the constru | | | • | • | hitting | diode | e (LEI | D). | |
| | b) | Discuss advantage | es and ap | plicatio | | | | | | | |
| | , | | | | 0 | R | | | | | |
| 8. | a) | What is Bohr mag | | | | | | | | <i></i> | and of the |
| | b) | With suitable expre materials. | essions e | xpiain t | ne origi | n of pe | erman | ent n | nagne | etic mor | nent of magnetic |
| | | | | | | -V | | | | | |

- UNIT-V
- 9. a) Distinguish the soft and hard magnetic materials.
 - b) A magnetic material has a magnetization of 3300 A/m and flux density of 0.0044Wb/m². Compute the magnetizing force and the relative permeability of the material.

OR

- 10. a) Explain the construction and working of Ball mill method to prepare nanoparticles.
 - b) Write the properties of nanomaterials