Hall	Tick	et Number :]			٦
Code	: 4G	C12	I	I		<u></u>	I	I	I					R	-14	
	B	.Tech. I Yeo	ar Su			ine	erin	g P	hysi	CS		1ay,	/June	2016		
	-	rks: 70 I five units by	/ ch	-							-	nit (5 x 14		3 Hours Iarks)	\$
							U	NIT-	·I							
1.	a)	Describe in detail Fraunhofer diffraction due to a single slit and obtain the conditions for Principal maxima, minimum and secondary maximum. Using this draw the intensity distribution curve.													10	
	b)	How many orders will be visible with the wavelength of incident radiation is 7500 A^0 and the number of lines on the grating is 2500 in one inch.													2	
	c)	What are the characteristics of laser?												21		
								OF	R							
2.	a)	Explain the principle of an optical fiber.											3			
I	b)	Derive an expression for acceptance angle for an optical fiber? How it is related to numerical aperture.												41		
	c)	Draw the block diagrams of fiber optic communication system and explain the function of each block.													7	
							U	NIT–	11							
3.	a)	Elucidate th Centered Cu		•			. ,			enter	ed C	Cubic	FCC (FCC) and	Body	61
	b)	Briefly expla	in ab	oute	edge	and	scre	w dis	locat	ions.						4
	c)	Describe ho	w the	e ultra	ason	ics a	re us	ed ir	n non	-dest	tructi	ve te	esting c	of materi	al.	41
								OF	R							
4.	a)	Explain the t (i) Space (ii) Unit c (iii) Brava	e latti ell	се												6
	b)	Explain the significance of Burger's vector.											2			
	c)	Describe the suitable diag	•		tion	of u	ltraso	onics	by	usinę	g pie	zoel	ectric	method	with	6

UNIT-III

5.	a)	What are matter waves? Explain their properties.	ЗM
	b)	Deduce Schrödinger's time independent wave equation and give the physical significance of wave function.	6M
	c)	Explain the origin of energy bands in solids.	5M
		OR	
6.	a)	What is de-Broglie hypothesis? Show that the wavel that the same than electron of mass "m' and kinetic energy 'E' given by $\frac{n}{\lambda} = h/\sqrt{2} \frac{ociated wi}{mE}$ where 'h' is Plank's constant.	4M
	b)	Discuss the postulates of classical free electron theory of metals.	ЗM
	c)	Discuss the Kronig penny model for the motion of an electron in a periodic potential.	7M
		UNIT–IV	
7.	a)	Write a note on Intrinsic and extrinsic semiconductors.	4M
	b)	Explain Hall effect and its application.	4M
	c)	Describe the drift and diffusion currents in a semiconductor? Derive their expressions.	6M
		OR	
8.	a)	How materials are classified as dia or para or ferro - magnetic? Explain.	5M
	b)	Distinguish between hard and soft magnetic materials.	ЗM
	c)	Explain about direct and indirect band gap semiconductors.	6M
		UNIT-V	
9.	a)	Define superconductivity and mention its properties.	4M
	b)	Describe the BCS theory of superconductivity? Describe how cooper pairs are formed.	6M
	c)	Explain any four applications of super superconductors in detail.	4M
		OR	
10	a)	What are nanomaterials? Explain why the properties of nanoparticles are different	5M
	b)	Describe the process of "sol-gel, chemical vapor deposition and thermal evaporation in the fabrication of nanomaterials.	9M

Hall	Tick	et Number :													
Cod	e: 40	GC13	I	J					1	1	I			R-1	4
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					-			-	nem		-				
Мах	. Mo	arks: 70		(COI	nnc		AIL	Bran	cnes	>)			Time: 3 H	Hours
Answ	ver c	III five units b	by cł	1005	sing	one		stior	n fror	n ec	hor	unit	(5×14	= 70 Mai	rks)
								UNIT	- I						
1.	a)	What is hard	Iness	s of v	vater	? Me	ntion	its ı	inits.	Calc	ulate	e the	carbona	ate and no	n
	ŗ	carbonate ha				•							•	•	
	b)	$Mg(HCO_3)_2 = 0$		-		-		-	-			-		-	7M 7M
	b)	Describe the desalination process by reverse osmosis with a neat sketch OR									7 111				
2.		What are b	oiler	tro	ubles	:? Н	ow			cau	sed?	, Giv	ve suad	nestions to	0
_ .		minimize the						are	ling	ouu		U.	ie euge		14M
							l	JNIT	-11						
3.	a)	Differentiate	betv	veen	cath	odic	prote	ectior	n and	l ano	dic p	oroted	ction		8M
	b)	What is the	emf o	of the	e follo	owing	g cell	at 2	5ºC						
		Zn (s)/Zn++ (0.1 N	Л) С	u++ (1.75	M)/C	u (s)	. The	e star	ndaro	d em	f of the o	cell is 1.1 \	√ 6M
								OR	-						
4.		Define fuel of are the adva		•							•				
		Why is wate	-										louolion		 14M
							ι	JNIT-	-111						
5.		What are sili	cone	es? G	Give p	orepa	aratio	on, pr	oper	ties a	and a	applic	cations of	of silicones	s 14M
								OR	1						
6.				of pre	epara	tion,	prop	perties and engineering uses of the following							
		(i) Bake (ii) PVC	lite												4M
		(iii) Styre			r										3M
		(iv) Nitrile	e rub	ber			[3M
								JNIT-							
7.		What are the for metallurg							-			escrit	be the m	nanufactur	e 14M
		for metallary		JORC	by C		101111	OR		liou					1 - 1 1 1
8.	a)	With a neat	diagr	am o	desci	ibe t	he O			ana	lysis	met	nod.		10M
	b)	Define calori	-						-					e of fuel.	4M
							ι	JNIT	-V						
9.		What are r	ocke	et pr	opel	lants	? H	ow a	are t	they	clas	sifie	d? Wha	at are the	е
		requirements	s for	the s	selec	tion o	of a g	good	prop	ellan	t?				14M
						_		OR							
10.		What is the manufacture								•					s 14M
			~ y			, v		**	r 51 (2		2400			

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Hall Ticket Number :						

Code: 4G511

B.Tech. I Year Supplementary Examinations May/June 2016

Engineering Mechanics

(Common to CE and ME)

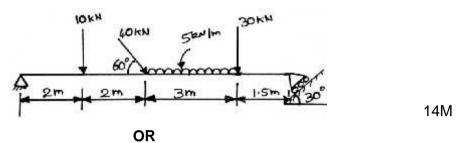
Max. Marks: 70

Time: 3 Hours

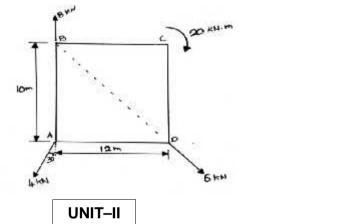
Answer all five units by choosing one question from each unit (5 x 14 = 70 Marks)

UNIT–I

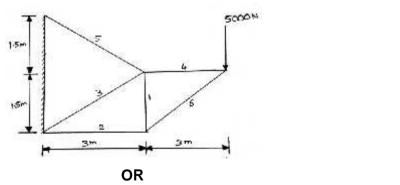
1. The beam of AB 8.5 m long is hinged at A and is supported on rollers at B. The plane of rollers is inclined at 30^o to the horizontal. Find the reactions of A&B if the loads on it are as shown in figure.



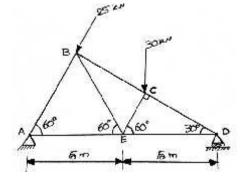
2. Find the magnitude, direction and position of resultant force of a system of forces shown in figure with respect to point A



- 3. a) What are the assumptions made in the analysis of a simple truss?
 - b) Using method of sections find the axial force in each of members 1, 2 and 3 of the plane truss shown in figure.



4. Find the forces in the members of the truss shown in figure by the method of joints.



14M

14M

4M

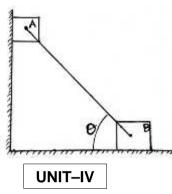
10M

UNIT-III

5. A 7m long ladder rests against a vertical wall, with which it makes an angle of 45⁰, and on a floor. If a man, whose weight is one half of that of the ladder, climbs it. At what distance along the ladder will he be, when the ladder is about to slip? The coefficient of friction between the ladder and the wall is 1/3 and that between the ladder and the floor is ½.

OR

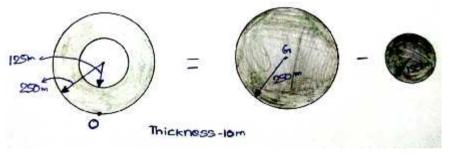
Two identical blocks A and B are connected by a rod and rest against vertical and horizontal planes respectively as shown in figure. If sliding impends when = 45^o, determine the coefficient of friction μ, assuming it to be the same at both floor and wall.



14M

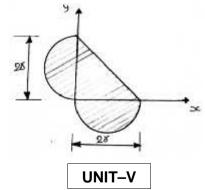
14M

7. If the plate shown in figure has a density of 8000 kg/m³ and a thickness of a 10 mm, determine its mass moment of inertia about an axis directed perpendicular to the page and passing through point O.



OR

8. Determine the moment of inertia and radius of gyration with respect to x and y axis.



14M

8M

6M

14M

- 9. a) State and prove D-Alembert's principle.
 - b) What is the difference between kinetics and kinematics?

OR

A small block of weight W rests on a horizontal turn table at a distance r=1m from the centre of the turn table. Find the maximum uniform speed of the block, can have without slipping off the table. Assume the coefficient of friction between block and the turn of the table to be 0.5.

Hall Ticket Number :												
Code: 4G512					<u></u>							R-14
B.Tech. I Ye	ear (Sup	pler	nen	ntary	/ Exc	amiı	nati	ons	Ма	y/June	2016

Engineering Graphics

(Common to CE & ME)

Max. Marks: 70

Time: 3 Hours

Answer all five units by choosing one question from each unit (5 x 14 = 70 Marks)

UNIT–I

1. The distance between two fixed points is 100 mm. A point moves in a plane such that the sum of its distances from the two fixed points is always 130mm. trace the complete path of the moving point. Name the curve.

OR

2. Draw the involute of a circle of 40mm diameter. Draw a tangent at a distance of 80mm from the center of the circle.

UNIT–II

3. Draw the projections of a straight line 90mm long when its ends are 50mm & 20mm above H.P. and 40mm & 10mm respectively in front of V.P. Determine its inclination with H.P.

OR

4. A circle of 60mm dia rests on a point A of its circumference on the ground. Its plane is inclined at 45^o to the ground. The top view of the diameter AB makes an angle of 30^o with XY, draw its projections.

UNIT-III

5. A square pyramid, base 35mm side and axis 50mm long, has a triangular face in the V.P., the front view of the axis making an angle of 30^o to XY. Draw its projections.

OR

6. A hexagonal prism (base 35mm side & axis 60mm long) is resting on one of its base edges in the H.P. but inclined at 30° to V.P., and the axis inclined at 45° to H.P. Draw its projections.

UNIT–IV

7. A cone base 50mm dia, 65mm long axis, is cut by a plane inclined at 45^o to the base but passing through the mid-point on the axis. Develop the lateral surface of the solid.

OR

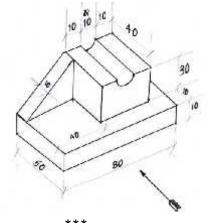
8. A vertical cylinder, base 60mm dia & axis 75mm long, is penetrated by a horizontal cylinder, base 40mm dia & axis 60mm long, axes of both the solids bisecting each other. Draw the projections of the solids when the plane containing eh axes is parallel to V.P.

UNIT–V

9. A square pyramid, base 30mm side & axis 45mm long, is centrally placed on the top surface of a vertical square prism, base 50mm side & axis 75mm long. Bases sides of both the solids are parallel to one another. Draw the isometric view of the combination of the solids.

OR

10. Draw the front view, top view & left side view of the solid shown in the figure.



Hall	Ticke	et Number :	
Code	e: 40	GC14 R-14	
	E	B.Tech. I Year Supplementary Examinations May/June 2016	
		Mathematics-I (Common to All Branches)	
Мах	. Mc	irks: 70 Time: 3 Hou	Urs
Answ	er a	Il five units by choosing one question from each unit ($5 \times 14 = 70$ Marks)
1.	a)		714
		Find the orthogonal trajectories of the family of curves $r^n = a^n \cos n_n$ Solve $\frac{d^2 y}{dx^2} + 4y = \tan 2x$ by the method of variation of parameters	7M
	,		7M
2.		OR	
Ζ.	a)	If the temperature of a cup of coffee is 92°C when freshly poured in a room having temperature 24°C. In one minute it was cooled to 80°C. How long a	
		period must elapse before the temperature of the cup becomes 65°C?	6M
	b)	Solve $(D^3 + 1)y = e^{-x} + \cos(2x - 1)$	8M
		UNIT–II	
3.	a)	Verify Rolle' theorem for $f(x) = e^{-x} \sin x$ in $[0, f]$.	8M
	b)	If $u = x + y + z$, $uv = y + z$, $uvw = z$, then prove that $\frac{\partial(x, y, z)}{\partial(u, v, w)} = u^2 v$	6M
		OR	om
4.	a)	Verify the Meclaurin's theorem for $f(x) = (1-x)^{\frac{5}{2}}$ with Lagrange's form of	
	.,	remainder up to 3 terms with x=1.	7M
	b)	Discuss the maxima and minima of $f(x, y) = x^3 y^2 (1 - x - y)$.	7M
		UNIT–III	
5.	a)	Trace the curve $y^2(2a-x) = x^3$	7M
	b)	Evaluate $\iint r \sin_n drd_n$ over the cardioids $r = a(1 - \cos_n)$ above the initial line.	7M
		OR	
6.		Change of order of integration and hence evaluate the double integral $\int_{-\infty}^{1} \int_{-\infty}^{2-x} xy dx dy$	
-		$\bigcup_{x^2} 0 x^2$	14M
		UNIT–IV	
7.	a)	Evaluate $L\{te^{3t}\sin 2t\}$	4M
	b)	Find the Laplace transform of periodic function	
		$f(t) = \begin{cases} 1, & 0 < t < a/2 \\ -1, & a/2 < t < a \end{cases} \text{ And } f(t+a) = f(t) .$	10M
		OR	10101
8.		Solve $y^{11} + 2y^1 + 5y = e^{-t}$, $y(0) = 0$, $y^1(0) = 1$ using Laplace transform technique.	14M
		UNIT-V	
9.	a)	Find the directional derivative of $2xy + z^2$ at (1,-1,3) in the direction of $\overline{i} + 2\overline{j} + 3\overline{k}$.	7M
	b)	Prove that $div\left(\frac{\overline{r}}{r}\right) = \frac{2}{r}$, where $\overline{r} = x\overline{i} + y\overline{j} + z\overline{k}$ and $r = \overline{r} $	-7 N #
		OR	7M
10.		Verify Gauss divergence theorem for $\overline{F} = (x^3 - yz)\overline{i} - 2x^2 y\overline{j} + z\overline{k}$ taken over	
		the surface of cube bounded by the planes $x=y=z=a \& x=y=z=0$.	14M

Hall ⁻	Ticke	et Number :]	I
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	Ε	B.Tech. I Ye														
		Program		-									structu	Jres		
Мах	. Mc	arks: 70	(Cor	nmc	n to	CE,	EEE,	ME	ana	ECI	=)		Time: 3	Hours	
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							****	UNIT	<u> </u>							
4	-)		ابر : مرا											h :	1	
1.	a)	Differentiate language	nigr	1 lev	er lar	igua	ge, a	ssen	ו עומו	evei	lang	uage	e and m	achine lev		′M
	b)	Define Flow	cha	rt. Lis	st soi	ne c	omm	only	usec	lsym	nbols	and	specify	its purpos		'M
	,							Ō		•						
2.	a)	Explain mer	nory	allo	catio	n for	cons	stant	Hov	v to a	assig	in rai	nge of v	values in '	C'	
		Data types?													7	Μ
	b)	Define ident	ifier.	List	the r	ules	for ic	lentif	ier. C	Sive \	/alid	and	invalid	examples	7	Μ
							l	JNIT	-11							
3.	a)	Define Array	/? W	rite t	he de	eclar	ation	of N	1ulti E	Dime	nsior	nal A	rray		7	Μ
	b)	Differentiate	betv	ween	whil	e loc	op an	d do	while	e loo	р				7	Μ
								OF	R							
4.	a)	Give examp														Μ
	b)	Write a C pro	ograr	n to (checł	c whe		-		umbe	er is A	Armst	rong nu	mber or no	ot. 7	Μ
							ι	JNIT	-111							
5.	a)	Write a C pr	ogra	m to	find	GCI	D of t	two r	umb	ers u	ising	recu	irsion		7	Μ
	b)	Describe the steps in writing a function in a C program?												7	Μ	
								OF								
6.	a)	Describe dy				-										Μ
	b)	Define Fund	tion.	Ехр	lain h	now t				Defin	ned F	Funct	tions.		7	Μ
							ι	JNIT-	-IV							
7.	a)	Write a prog	Iram	in C	to co	opy tl	he co	onten	ts of	one	file to	o and	other file	9	7	Μ
	b)	Explain the	funct	tions	supp	orte	d to I			ead o	pera	tion	on file		7	Μ
_								OF		_					_	
8.	a)	Write a prog				•										Μ
	b)	Explain with and by refer			iple ł	10W	to pa	ss st	ructu	ire va	ariab	le as	argum	ent by valu		'M
			Chiec	,			I	JNIT	_V						,	111
9.		Mrita tha ar	0000	uro f	oro	ماييم				ovor		n			7	′M
9.	a) b)	Write the pro						•		•			onerati	on of que		IVI
	5)	using arrays	-			•			1130	n an	u uc		operativ			'M
		- •	-					OF	र							
10.	a)	Discuss the	proc	edur	e to	conv	ert ir	nfix e	xpres	ssion	to p	ostfix	c expres	ssion	7	'M
	b)	Write a prog						the p	bush	and	рор	opera	ation of	Stack usir	-	
		arrays/sequ	entia	l rep	rese	ntatio		ala -1-							7	Μ
							*	**						-		_