На	ll Tio	cket Number :													
Co	de:	1GC12	1							J	1	J	1	R-11/R-1	3
	B.Tech. I Year Supplementary Examinations Nov/Dec 2016														
	Engineering Physics														
(Common to All Branches) Max. Marks: 70 Time: 3 Hours													ours		
-	Answer any five questions All Questions carry equal Marks (14 Marks each)														
		All C	Jne	stior	ns CC	irry e		al Mo *****	arks	(14 /	۸ark	s ec	ach)		
1.	a)	Distinguish bet	wee	n int	erfer	ence	and	diffra	actio	n of li	ght.				3M
	b) Explain the formation of Newton's rings with necessary theory.												8M		
	c) Find the thickness of half wave plate for a light beam of wavelength 600nm, if														
	the difference in the refractive indices of E and O rays is 0.125.													ЗM	
2.	,	State and expla						•							4M
	b)	Describe the ba		•	•						•				7M
	c)	Find the maximum wavelength of X-rays which can be diffracted by a crystal with interplanar spacing of 2.5A ^o in first order diffraction.												3M	
3.	a)	Define Heisenb	berg	's un	certa	inty	princ	ipal.							2M
	b)	Derive Schrod	inge	r's c	one d	limer	nsion	al tir	ne ir	ndepe	ende	nt w	ave e	quation for a	
		free particle.				المملية				ماند مرا					8M
	c)	Explain various													4M
4.	,	Distinguish bet							Ŭ						3M 7M
	b) c)	Explain the form			•	•						with	neces	sary meory.	7M 4M
F	,	What are soft a					•	•	•		υ.				3M
5.	a) b)	Derive Clausiu			0					diele	ectric	2			3Ν 7Μ
	c)	Explain the cor						•							4M
6.	,	Mention the sig	-						•				ctor.		ЗM
0.	⊆, b)	Describe the co	-		•									agrams	7M
	c)	Explain BCS th						•						0	4M
7.	a)	Describe grade	ed in	dex	optic	al fib	er al	ong	with i	ts ref	racti	ve in	dex	profile.	4M
	b)	Describe the	vario	ous	impo	rtant	cor	npon	ents	of	optic	al fik	ber co	ommunication	
		system.													7M
	c)	Mention the im	port	ant a	applic	atior	ns of	holo	grapł	чy.					ЗM
8.	,	Explain the bas	•						•			rial P	ropert	ties.	4M
	b)	Describe Sol-G				•									6M
	c)	Mention the sig	gnific	cant	prope	erties	s of C	arbo	on na	notul	oes.				4M

Hall Ticket Number :	ada: 10511	I I I		R-11/R-13	3
	Hall Ticket Number :	er :			

Code: 1G511

Max. Marks: 70

B.Tech. I Year Supplementary Examinations Nov/Dec 2016

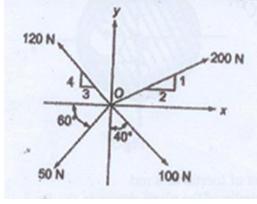
Engineering Mechanics

(Common to CE and ME)

Time: 3 Hours

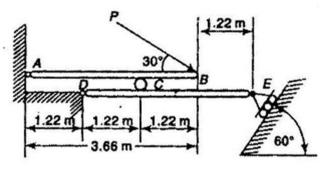
Answer any **five** questions All Questions carry equal Marks (**14 Marks** each)

- 1. a) Define Free Body Diagram and give the steps involved in drawing Free Body Diagram. 7M
 - b) Find the Resultant of given force system shown in fig.1 below.



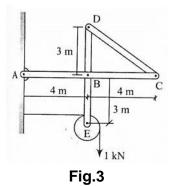


2. Two beams AB and DE are arranged and supported as shown in figure.2. Find the magnitude of the reaction R_E at E due to the force P=890N applied at B as shown.





- 3. a) What is the difference between a Truss and Frame? Write down the basic assumptions for finding forces in members of a perfect frame.
 - b) In figure (3), a frame supports a weight of 1 kN. Find the compressive force in the bar DC and the shear force on pin B. The radius of the pulley is 1m.



7M

14M

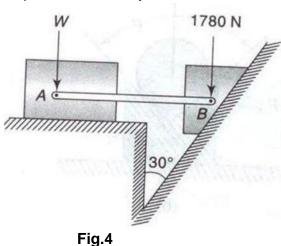
7M

7M

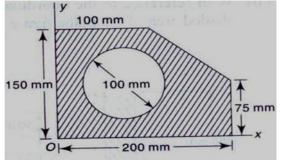
a) State the laws of coulomb friction and give the difference between angle of friction and 4. angle of repose.

7M

b) Two blocks connected by a horizontal link AB are supported on two rough planes as shown in Fig.4. The coefficient of friction for block A on the horizontal plane is μ =0.4. The angle of friction for block B on the inclined plane is $\emptyset = 15^{\circ}$. What is the smallest weight W of block A for which equilibrium of the system can exist?

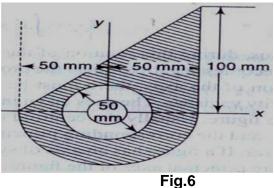


- 5. a) State and Prove theorms of Pappus.
 - b) Reference to Fig.5, determine the coordinates x_c and y_c of the center of a 100 mm diameter, circular hole cut in a thin plate so that this point will be the centroid of the remaining shaded area.





- 6 a) State and Prove parallel axis theorem.
 - b) Reference to Fig.6, Calculate the moment of inertia of the shaded area with respect to a centroidal axis parallel to the x-axis.



7M

7M

7M

7M

7M

- 7. a) Derive from fundamentals, all the three kinematic equations of linear motion having constant acceleration.
 - b) The motion of a particle is described by the following equations: $x=t^2+8t+4$ and V = t^3 +3 t^2 +8t+4. Determine the (i) initial velocity of the particle, (ii) velocity of the particle at t=2 seconds and (iii) acceleration of the particle at t=3 sec.
- a) Derive the relation between impulse and linear momentum. 8.
 - b) A car of mass 1000 kg descends a hill of sin⁻¹ (1/6). The frictional resistance to motion is 200 N. Calculate, using work energy method, the average braking effort to bring the car to rest from 48 km/h in 30 m.

7M

7M

7M 7M

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Hall	Tick	et Number :												[
Cod	Code: 1GC13 R-11/R-13													3	
B.Tech. I Year Supplementary Examinations Nov/Dec 2016															
	Engineering Chemistry														
(Common to All Branches) Max. Marks: 70 Time: 3 Hours														LIFE	
Ma	x. /vi	urks. 70			Ansv	ver	any f	five	aues	stion	S				015
		All	Que		ns co		,		•			s ec	ach)		
1.	a)	Discuss, in br	rief, t	he b	oiler	corrc	sion	. Hov	v is it	con	trolle	d?			6M
	b) Write short notes on														
	(i) Phosphate Conditioning(ii) ion-exchange process													8M	
2.															
	down its cell reactions. Standard electrode potential of nickel and lead are - 0.24 V and -0.13 V respectively at 25°C.													7M	
	b)	What are insu	What are insulators? Give the various engineering applications of insulators.												
3.	a)	Discuss the r	role d	of na	iture	of o	xide	layer	form	ned i	n ox	idatio	on coi	rrosion. State	
		and explain F	-				Rule.								8M
	b)	Give reasons				•	بمعاد		**	الم الم		المعدم			
	(i) Corrosion of water-filled tank occurs below the waterline(ii) A Copper equipment should not possess a small Steel bolt													6M	
4.	a)	· ·	•	• •				•						oolymerization	OW
	,	with suitable													6M
	b)			nod c	of pre	para	tion,	prop	erties	s and	l app	licati	ons o	of the following	
		(i) Bakeli													8M
5.	a)	(ii) Nitrile What are exp			Evola	ain th		anufa	oture	and	lann	licati	one o	f dynamite	6M
5.	b)	•			•						•••			ants such as	Olvi
•	,	viscosity and	anilir	ne po	oint.		•		•						8M
6.	a)	and triple poil			nase	e alaç	gram	of w	ater	syste	em al	nd ex	kpiain	areas, curves	8M
	b)	Define the te rule.	rms	: Ph	ase,	Com	ipone	ent a	nd D	egre	e of	free	dom (used in phase	6M
7.	a)	Describe, in oven method		, the	e ma	nufa	cture	of r	netal	lurgi	cal c	oke	by O	otto Hoffman's	7M
	b)			imun	n wei	ight o	of air	requ	uired	for o	comp	lete	comb	oustion of 1 kg	
	-	of fuel contair	-			6, H	= 3.5	5 %, (C = 3	8.0 %	, S =	0.5	%, H ₂	₂ O = 1.0 %,	
		N = 0.5% and					_								7M
8.	a)	What is a refi		ry m	ateria	al? V	Vrite	a det	tail n	ote o	n ac	id an	nd bas	sic refractories	7M
	b)	Write the che	mica	l rea	ction	s tha		e pla **	ce dı	uring	setti	ng ce	emen	t and explain.	7M

Hall Tic	ket Number : R-11/R-1	13											
	B.Tech. I Year Supplementary Examinations Nov/Dec 2016												
	Mathematics-I												
Max.	(Common to All Branches) Marks: 70 Time: 3	Hours											
	Answer any five questions												
	All Questions carry equal Marks (14 Marks each)												
1. a)	Solve the differential equation $x \frac{dy}{dx} + y = x^3 y^6$	4M											
b)	Find the equation of the system of orthogonal trajectories to the family of curves $r^n \sin n_n = a^n$, where a is parameter												
		4M											
c)	The temperature of a body drops from 100°C to 75°C in ten minutes when the surrounding air is at 20°C. What will be the temperature after half an hour? When will, the temperature be 25°C	6M											
2. a)	Solve the differential equation $(D^3 + 2D^2 + D)y = e^{2x} + x^2 + x + \sin 2x$	7M											
b)	Solve by the method of variation of parameters, $(D^2 - 2D) y = e^x \sin x$	7M											
3. a)	If a < b , prove that $\frac{b-a}{1+b^2} < \tan^{-1}b - \tan^{-1}a < \frac{b-a}{1+a^2}$ using Lagrange's												
	mean value theorem and hence deduce that $\frac{f}{4} + \frac{3}{25} < \tan^{-1}\frac{4}{3} < \frac{f}{4} + \frac{1}{6}$	7M											
b)													
4. a)	Trace the curve, $a^2 y^2 = x^2 (a^2 - x^2)$	7M											
b)	Find the volume formed by the revolution of the loop of the curve												
	$y^{2}(a+x) = x^{2}(3a - x)$ about the x – axis.	7M											
5. a)	Evaluate $\iint_{R} xy dx dy$ where R is the region bounded by x – axis, ordinate												
	$x = 2a$, and the curve $x^2 = 4ay$	7M											
b)	By changing the order of integration, evaluate $\int_{0}^{3} \int_{1}^{\sqrt{4-y}} (x+y) dx dy$	7M											
	$\int (t-1)^2 , t > 1$												
6. a)	Obtain the Laplace transform of the function $f(t) = \begin{cases} (t-1)^2, t > 1 \\ 0, 0 < t < 1 \end{cases}$	7M											
b)	Using convolution theorem, evaluate $L^{-1}\left\{\frac{1}{s(s^2+2s+2)}\right\}$	7M											
7.	Solve the differential equation $\frac{d^2x}{dt^2} - 4\frac{dx}{dt} - 12x = e^{3t}$ given that												
	x(0) = 1 and $x'(0) = -2$ using Laplace transforms	14M											
8. a)	Using line integral, calculate the work done by the force,												
	$\overline{F} = (3x^2 - 6yz)\overline{i} + (2y + 3xz)\overline{j} + (1 - 4xyz^2)\overline{k}$ in moving a particle from the												
	point (0,0,0) to the point (1,1,1) along the curve $C: x = t$, $y = t^2$, $z = t^3$	7M											
b)	Verify greens theorem in the plane for $\oint_C (3x^2 - 8y^2) dx + (4y - 6xy) dy$ where												
	C is the region bounded by $y = \sqrt{x}$ and $y = x^2$	7M											

Hall Tick	ket Number :											I	r	
Code :	IG112						1			J			R-11/	′R-13
	B.Tech. I Y													
C Programming and Introduction to Data Structures (Common to CE, EEE, ME & ECE)														
Max. Marks: 70 Time: 03 Hours													rs	
Answer any five questions All Questions carry equal marks (14 Marks each) *******														
1. a)	Explain SDLC	c proces	ss and	l nee	ed of	it.								8M
b)	Write an algo	rithm fo	r findi	ng th	e gre	eates	st nui	mbe	r am	ong t	hree	num	bers	6M
2. a)	List the different data types along with memory occupations in C with suitable example.										8M			
b)	Explain for loo	op and	nesteo	d for	loop	with	suita	able	exar	nple.				6M
3. a)	Write a program to read array of numbers and compute sum and average of the numbers.									6M				
b)	Define an Arra	ay? Wha	at are o	differ	ent ty	/pes	of Ar	rays	expl	ain?				8M
4.	Write about St	tring ma	nipula	tions	func	tions	avai	lable	e in C	; with	exa	mples	S.	14M
5. a)	Distinguish be example.	tween a	array c	of Str	uctur	es ai	nd ar	n arra	ay wi	thin	struc	tures	with an	8M
b)									6M					
6. a)	Explain about	defining	, oper	ning a	and c	losin	g of	a file						9M
b)	Write a C prog	gram to	print "l	Mess	age"	usin	g cor	nma	nd lir	ne ar	gume	ents.		5M
7.	Define Queue	and exp	olain C	Queu	e imp	leme	entati	on u	sing	array	/S			14M
8. a)	Write a C prog	gram to	search	n an e	eleme	ent u	sing	bina	ry se	arch				7M
b)	Explain in deta	ail abou [.]	t inser	tion s	sort.									7M

Cada				<u> </u>]	R-11/R-1	3
Hall T	icket Number :								

Code: 1G512

B.Tech. I Year Supplementary Examinations Nov/Dec 2016

Engineering Graphics

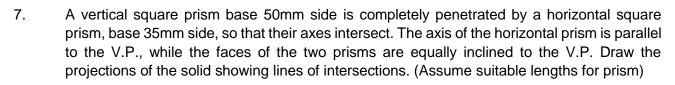
(Common to CE & ME) Time: 3 Hours Max. Marks: 70 Answer any **five** questions All Questions carry equal Marks (14 Marks each) 1. a) Construct a parabola by rectangle method with the base dimension 140 mm and height 100 mm. And also draw the tangent and normal to the parabola at any suitable point 7M b) A string is unwound from a circle of 30 mm radius. Draw the locus or Involute of circle of the end of the string for unwinding the string completely. String is kept tight while being unwound. 7M 2. a) Draw the projections of a 65mm long straight line, in the following positions : i. Parallel to both the H.P and the V.P and 25mm from each. ii. Perpendicular to the H.P in the V.P and its one end in the H.P. 5M b) The top view of a 75mm long line AB measures 65mm, while the length of its front view is 50mm. Its one end A is in the H.P. and 12mm in front of the V.P. Draw the projections of AB and determine its inclinations with the H.P. and the V.P. 9M 3. a) A regular pentagon of 25mm side has one side on the ground. Its plane is inclined at 45° to the H.P. and perpendicular to the V.P. Draw its projections. 7M b) Draw the projections of a circle of 5cm diameter, having its plane vertical and inclined at 30[°] to the V.P. Its centre is 3cm above the H.P. and 2cm in front of the V.P 7M A pentagonal pyramid, base 25mm side and axis 50mm long has one of its triangular faces 4. a) in the V.P. and the edge of the base contained by that face makes an angle of 30° with the H.P. Draw its projections. 9M b) A cube of 40mm side rests with one of its square faces on the H.P. such that one of its vertical faces is perpendicular to V.P. Draw its projections. The nearest edge parallel to V.P. is 5mm in front of it. 5M A cube of side 30mm rests on the HP on its end with the vertical faces equally inclined to the 5.

VP. It is cut by a plane perpendicular to the VP and inclined at 30^o to the HP meeting the axis at 25mm above the HP. Draw its top view, sectional front view and true shape of the section. 14M

38

Draw the isometric view of the block, two views of which are shown in figure. 6 (All dimensions are in mm).

30



A rectangular pyramid of base 70 mm X 50 mm and altitude of 70 mm rests with its base on 8. the ground. One corner of the base is 20 mm to the left of the eye and in PP. The 70mm long side of the base recedes to the right at 400. The eye is 190 mm from PP and 130mm above the ground plane. Draw the perspective view of the pyramid. 14M

14M

14M

Page 1 of 1

