	~	R-17	
	C	Il B.Tech. I Semester Regular Examinations November 2018	
		Manufacturing Technology	
		(Mechanical Engineering)	
	٨	Nax. Marks: 70 Time: 3 Hours	
		Answer all five units by choosing one question from each unit (5 x 14 = 70 Marks)	
		UNIT-I	
ć	a)	Explain centrifugal casting process with a neat sketch.	
	u) b)	A sprue is 300 mm long and has a diameter of 125 mm at the top. The molten metal level in	
,	0)	the pouring basing (which is much larger than the top of the sprue) is taken to be 75 mm from	
		the top of the sprue for design purposes. If a flow rate of 650 mm ³ /s is to be achieved, what	
		should be the diameter at the bottom of the sprue? Will the sprue aspirate? Explain.	
		OR	
á	a)	State and explain the properties and types of moulding sands.	
	b)	With the help of a neat sketch explain the cold chamber die casting process.	
		UNIT–II	
á	a)	Explain Thermit welding Process with neat sketch.	
I	b)	Classify and enumerate the various welding defects with causes of occurrences.	
		OR	
ä	a)	Explain the various types of oxy-acetylene flames with sketches.	
I	b)	Compare and Contrast Brazing and Soldering Process.	
		UNIT–III	
ä	a)	Differentiate between hot working and cold working process.	
	b)	Classify and write notes on various rolling stand arrangement in detail.	
		OR	
ä	a)	Explain in detail about wire drawing	
I	b)	Estimate the roll force, F, and the torque for an AISI 1020 carbon-steel strip that is 200 mm	
		wide, 10 mm thick, and rolled to a thickness of 7 mm. The roll radius is 200 mm, and it rotates	
		at 200 rpm.	
	,		
	a)	Explain the steps involved in drop forging with neat sketches.	
	b)	Explain impact extrusion process with a neat sketch.	
	,	OR	
	a)	Explain the process involved in smith forging.	
	b)	Classify the extrusion process and briefly explain the process of direct extrusion.	
		UNIT-V	
ć	a)	Summarise the various differences between thermoplastics and thermosetting plastics.	
	b)	Explain the injection moulding process.	
		OR	
	a)	Explain the extrusion blow moulding process with a neat sketch.	
ä	,	Explain transfer moulding. Discuss its advantages and limitations.	

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Code: 7G532

II B.Tech. I Semester Regular Examinations November 2018

Metallurgy and Material Science

(Mechanical Engineering)

Max. Marks: 70

Time: 3 Hours Answer all five units by choosing one question from each unit ($5 \times 14 = 70$ Marks)

UNIT-I

What is a solid solution? Discuss the similarities and differences between 1. substitutional and interstitial solid solutions

OR

2. List the various types of bonds occurring in a crystal. Discuss the metallic bond and its characteristics.

UNIT-II

3. What is equilibrium diagram? State its importance and objectives. How is equilibrium diagrams classified?

OR

4. Define Eutectic systems. Explain about equilibrium cooling and heating of alloys.

UNIT-III

5. Explain the structure and properties of plain carbon steels and its applications

OR

- 6. Explain micro structure, properties and uses of the below.
 - (a) White cast iron
 - (b) spheroidal cast iron

UNIT-IV

7. Explain the role of solvus curve in phase diagrams for age hardenable alloys.

OR

- 8. Explain briefly
 - a) Full annealing.
 - b) Isothermal annealing
 - c) Sub critical annealing.

UNIT-V

9. Enumerate the characteristics, properties and applications of cermets, glass

OR

- 10. Write Short notes on
 - a) Metal ceramic mixtures.
 - b) Carbon composites

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Max. Marks: 70

Time: 3 Hours

7M

8M

Answer all five units by choosing one question from each unit ($5 \times 14 = 70$ Marks)

UNIT–I

- a) A specimen of steel 25 mm diameter with a gauge length of 200 mm is tested to destruction. It has an extension of 0.16 mm under a load of 80 kN and the load at elastic limit is 160 kN. The maximum load is 180 kN. The total extension at fracture is 56 mm and the diameter at the neck is 18 mm. Find (i) the stresses at elastic limit, (ii) Young's Modulus, (iii)Percentage elongation, (iv)Percentage reduction in area and, (v)Ultimate tensile stress
 - b) A stepped circular bar having diameters 20 mm, 15mm and 10 mm over axial lengths of 100mm, 80mm and 60mm is subjected to an axial tensile force of 5kN. If E= 100 x 10³ N/mm² and 1/m =0.32 for the material of the bar, determine (i) Total change in length and (ii) Change in each diameter
 7M

OR

- 2. a) A spherical ball of a material 10 mm in diameter goes down to a depth of 500 meters in sea water. If the weight density of sea water =1040 kg/m³ and the bulk modulus of the material is 16 X 10⁵ kg/cm², determine the change in the volume of the ball?
 - b) Define Hooke's law, Poisson's ratio and state their significance briefly? 6M

UNIT–II

- 3. a) Define beam? Discuss briefly about the types of beams with neat sketches? 4M
 - b) Draw the SF and BM diagrams for the cantilever beam shown in fig.a.

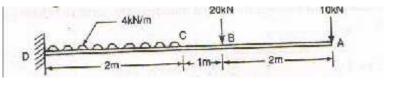
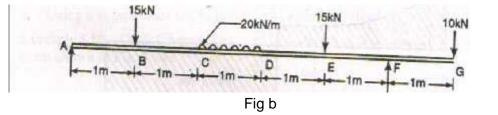


Fig a

4. a) Draw the SF and BM diagrams for the beam shown in fig.b and mark the salient points. Find the point of contraflexure and maximum bending moment?



b) A beam 6 m long, simply supported at ends carries a linearly varying load with maximum rate at the centre of the beam i.e. 1.5 tonne/m run. Assume the uniformly varying load is zero at the supports and maximum at the centre? Draw the SF & BM diagrams for the beam? 5M

9M

Code: 7G531

UNIT–III

- 5. a) Derive an expression of simple bending equation and state the assumptions of it? 7M
 - b) A cantilever of sq. section 20 mm x 20 mm x 2 m long, just fails in flexure when a load of 12KN is placed at its free end. A beam of the same material and having a rectangular cross section 150 mm wide and 300 mm deep is simply supported over a span of 3 m. Calculate the minimum central concentrated load required to break the beam?

OR

- 6. a) Derive an expression for the shear stress across the circular cross section?
 - b) A simply supported beam has a span of 4m and a rectangular cross section of 100 mm x 200 mm. Find the UDL it can carry, if the maximum bending stress and the maximum shear stress are not to exceed 10 N/mm² and 0.6 N/mm² respectively.

UNIT–IV

- 7. a) Derive an expression for the deflection of a cantilever beam subjected to UDL? 6M
 - b) A simply supported beam of 6 m span is subjected to a concentrated load of 18 kN at 4 m from left support. Calculate (i) The position and the value of the maximum deflection, (ii) Slope at mid span, (iii) Deflection at the load point? Take, E= 200GPa and I= 15 x10⁶ mm⁴

OR

- a) A steel beam of circular section with diameter of 50 mm is used as a cantilever of length 3 m. How much load can be safely applied at the free end of the cantilever, if E=200 GPa, and deflection is not exceed 1 mm and the slope is not to exceeded 0.2°
 - b) While using Macaulay's method, explain how the location of a moment is specified in bending moment equation?
 7M

UNIT–V

- 9. a) Derive an expression for the circumferential, longitudinal stresses and change in dimensions of the thin cylinder?
 - b) The diameter of the city water supply pipe is 750 mm. It has to withstand a water head of 60 m. Find the thickness of the seamless pipe, if the permissible stress is 20 N/mm². Take the unit weight of the water as 9810N/m³.

OR

- a) State the assumptions made in Euler's theory for axially loaded elastic long columns?
 4M
 - b) A thick spherical shell of 400 mm external diameter and 50 mm thick is subjected to internal fluid pressure 0f 50 N/mm². Draw the variation of hoop stresses across the thickness. Draw the variation of hoop stress?

7M

7M

7M

8M

7M

5M

This a rotation of a town in the equation $x = y^{-x}$ using Newton-Raphson method.TMDRORa) Employ Taylor's method to obtain the approximate values of y at $x = 0.1, 0.2$ for the differential equation $\frac{dy}{dx} = x - y^2, y(0) = 1.$ TMb) Apply Runge-Kutta method of order 4, compute $y(0.2)$ and $y(0.4)$ from the equation $\frac{dy}{dx} = x + y, y(0) = 1.$ TMINIT-IIa) The population of a town in the decennial census was given belowYear : x 1891 1901 1911 1921 1931Population: y 46 66 81 93 101											1			
idde: 7GC32II B.Tech. I Semester Regular Examinations November 2018Engineering Mathematics – III(Common to All Branches)Max. Marks: 70Time: 3 HoursAnswer all five units by choosing one question from each unit ($5 \times 14 = 70$ Marks)*********UNIT-Ia) Find a real root of the equation $x^3 - 3x - 5 = 0$ by the method of false position correct to three decimal places.7MDRDRORa) Employ Taylor's method to obtain the approximate values of y at $x = 0.1, 0.2$ for the differential equation $\frac{dy}{dx} = x - y^2$, $y(0) = 1$.TMDRDINIT-IIa) The population of a town in the decennial census was given belowYear : x 1891190119111921TMDINIT-IIa) The population of a town in the decennial census was given belowYear : x 1891190119111921TMDistimate the population for the year 1895.TMDistimate the population for the year 1895.TMDistimate the population formula to find the value of y when $x = 3.5$ from	Hall	Ticket Nu	mber :										D 17	7
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Interpolation of a town in the decennial census was given belowa) The population of a town in the decennial census was given below	b)	Apply Ru	unge-Ku	utta me	ethod o	f orde	r 4, comp	ute y	(0.2) a	and y(0.4	1) fro	m the	equation	
Interpolation of a town in the decennial census was given belowa) The population of a town in the decennial census was given below		dy	(0)	1										
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b) Use Lagrange's interpolation formula to find the value of y when $x = 3.5$ from the			(in tho	ousand	s)	40	00	C		93		101		
		Estimate	the pop	pulatio	n for th	ie yea	ır 1895.							7M
following table	b)	Use Lag	range's	interp	olation	form	ula to find	d the	value	of y w	hen x	= 3.5	from the	
		following	table											
x 0 1 3 4		-	ſ	x	0		1		3	4				
у -12 0 12 24 7M				у	-12	2	0		12	24				7M
OR			-				OR							

4. a) Find the first and second derivatives of the function tabulated below at the point x = 1.5

x	1.5	2.0	2.5	3.0	4.0
У	3.375	7.0	13.625	38.875	59

b) Evaluate $\int_{0}^{1} \frac{dx}{1+x^{2}}$ by using (i) Trapezoidal rule (ii) Simpson's $\frac{1}{3}$ rule, (iii) Simpson's $\frac{3}{8}$ rule with h = 0.5 and 0.25 7M

Page **1** of **2**

7M

UNIT–III

5. a) Find the values of *a*, *b* and *c* so that $y = a + bx + cx^2$ is the best fit to the data

b) Solve $x^{2}(y-z)p + y^{2}(z-x)q = z^{2}(x-y)$

OR

6. a) Determine the values of *a* and *b* by the method of least squares such that $y = ae^{bx}$ fits the following data

x	0 1	2 3
y	1.05 2.10	3.85 8.30

b) Solve $x^2 \frac{\partial u}{\partial x} + y^2 \frac{\partial u}{\partial y} = 0$ by employing the method of separation of variables. 7M

UNIT–IV

7. Prove that $x^2 = \frac{f^2}{3} + 4\sum_{n=1}^{\infty} (-1)^n \frac{\cos nx}{n^2}$, -f < x < f by using Fourier series and hence show that $\sum_{n=1}^{\infty} \frac{1}{n^2} = \frac{f^2}{6}$ 14M

OR

8. Obtain a half range cosine series for $f(x) = \begin{cases} kx, 0 \le x \le l/2 \\ k(l-x), l/2 \le x \le l \end{cases}$

and deduce the sum of the series is
$$\frac{1}{1^2} + \frac{1}{3^2} + \frac{1}{5^2} + ... = \frac{f^2}{8}$$
 14M

9. a) Find the Fourier transform of
$$f(x) = \begin{cases} a^2 - x^2, & \text{for } |x| \le a \\ 0, & \text{for } |x| > a \end{cases}$$
 7M

b) Find the Fourier cosine transform of
$$e^{-ax}(a > 0)$$
. Hence Evaluate $\int_{0}^{\infty} \frac{\cos x}{x^{2} + a^{2}} dx$ 7M

OR

10. Obtain the Fourier sine transfromation of

$$f(x) = \begin{cases} 4x, & \text{for } 0 < x < 1\\ 4 - x, & \text{for } 1 < x < 4\\ 0, & \text{for } x > 4 \end{cases}$$
 14M

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		arks: 70 er all five uni	ts by	-			tion fro	_	-	(5x14	Time: 3 Hc = 70 Marks)	Urs
						UN	IIT—I					
1.	a)	Explain what density and p						of co	ntinuum?	How w	ill you define	7M
	b)		n. It i ne ar	s then of nount of	gradua work	ally he done	ated til during	l the the	pressur process	e rises , assum	to 500 kPa. hing that the	7M
					•	•	OR					
2.	a)	A spherical k inside is alwa work done w	ays pi	roportion	al to tl	he squ	are of t	he ba	alloon dia		air pressure determine the	7M
	b)	The cylinder piston slowly work done by	sly ag diamo mov y the	itated by eter is 0. es out a fluid duri	mear 4 m. E distar ng the	ns of a During nce of e proce	stirrer the stirr 0.485 r ess is 2	passii ing p n aga kJ. T	ng throug rocess la ainst the he speed	gh the cy sting 10 atmosph d of the e	proof piston, ylinder cover. minutes, the nere. The net electric motor power output	7M
						UN	IIT–II					
3.	a)	Is the Third independent				amics,		ktensi	on of se	econd la	aw? Is it an	7M
	b)	piston in the	eel, t cylind uring	ogether der move the fluid	with 5 s in s expa	0 kJ ir uch a	n the fo way tha	orm o at the	f heat. A pressure	t the sa	by means of me time, the s constant at he change in	7M
							OR					
4.	a)	Describe the	e cono	cept of P	rincip	le of E	Intropy	incre	ase.			7M
	b)	morning with evening, The render heat hotter than h	door a h e door transf is exp en he	and win ope to k rs and th fer neglig pectation leaves	dows eep ir e win jible. I . Assu the ro	before hside t dows a He ret ume th	e he le the root are all i urns 10 e room	eaves m co made) hou to be	the roo ol when of wood rs later to at 100 k	m one he will are tigl o find th <pa and<="" td=""><td>is on the fan, hot summer return in the ntly closed to hat room was 288 K in the ure when he</td><td>7M</td></pa>	is on the fan, hot summer return in the ntly closed to hat room was 288 K in the ure when he	7M
		1										

7M

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UNIT-III 5. a) Discuss the significance of Gibbs and Helmholtz functions. b) Two blocks of metal, each having a mass of 10 kg and having a specific heat of 0.4 kJ/kg.K, are at a temperature of 40°C. A reversible refrigerator receives heat from one block and rejects heat to the other. Calculate the work required to cause a temperature difference of 100°C between the two blocks. OR a) Derive Maxwell Equations. b) A copper ball weighing 0.4536 kg and uniformly heated to 310.7 K is dropped in a cold bath where upon it cools down to 267 K. Calculate the entropy change of the ball. UNIT-IV a) Why cannot a throttling calorimeter measure the quality if the steam is very wet? How is the quality measured then?

6.

7.

b) A steam boiler initially contains 5 m³ of steam and 5 m³ of water at 1 MPa. Steam is taken out at constant pressure until 4 m³ of water is left. What is the heat transferred during the process?

OR

- 8. a) One mole of air is compressed isochorically till its pressure gets doubled. Then it is allowed to expand reversibly and isothermally to regain its original pressure. Thereafter, it is subjected to isobaric cooling whereupon its volume decreases to restore its initial state. Find the net work done. Assume air behaves as an ideal gas.
 - b) Define Compressibility factor 'Z'. Discuss the significance of the compressibility factor.

UNIT-V

- a) A steam pressure of holding capacity 4 m³ contains a mixture of saturated water 9. and saturated steam at 250°C. The mass of the liquid present is 1 ton. Determine (i) Quality; (ii) Specific Volume; (iii) Specific Enthalpy; (iv) Specific Entropy and (v) Specific Internal Energy of steam.
 - b) Two bodies of equal heat capacities C and temperatures T1 and T2 from an adiabatically closed system. What will be the final temperature be if one lets this system come to equilibrium (i) freely; (ii) reversibly.

OR

- 10. a) A gas mixture consists of 0.4 kg CO, 1.1 kg of CO₂ and 1.5 kg of N₂. Determine
 - mass fraction of each component
 - ii) mole fraction of each component
 - iii) average molar mass of the mixture
 - iv) gas constant of the mixture.
 - b) The volumetric analysis of a dry flue gas in a boiler trail is given in percentage as 13% CO₂, 1.5% CO, 3.5% O₂ and 82% N₂. Determine the percentage gravimetric analysis. Also find the specific gas constant of the mixture.

7M

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7M

7M

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Code: 7G535

II B.Tech. I Semester Regular Examinations November 2018

Machine Drawing

(Mechanical Engineering)

Max. Marks: 70

Time: 4 Hours

******** Part-l

Answer any Two questions from the following ($2 \times 10 = 20$ Marks)

- a) Sketch the following thread profiles for a nominal diameter of 20 mm and pitch 2 mm
 i) Whitworth thread ii) Square thread
 - b) Sketch the following forms of nuts, with proportions marked:i) flanged nut, ii) cap nut.

OR

- 2. Draw gib and cotter joint suitable for joining 40 mm square rods?
- 3. Draw two views of a Single strap butt joint of two rows zig zag to connect two plates of 9 mm thick?

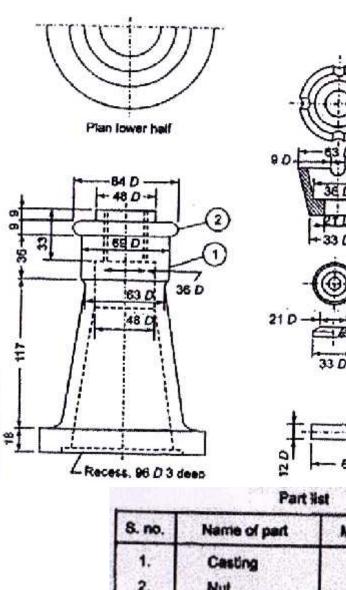
OR

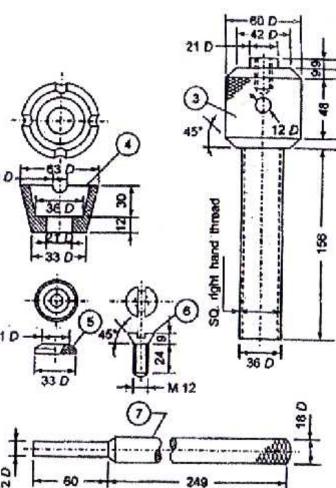
4. Draw the two views of oldham's coupling for shaft of 50 mm diameter.

Part-II

Answer any One question from the following ($1 \times 25 = 25$ Marks)

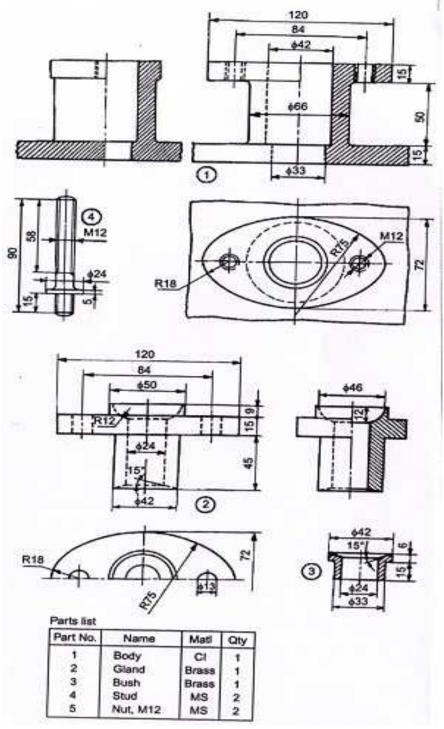
- 5. Assemble all parts of the screw jack, shown in below figure and draw the following views:
 - (*i*) Half sectional view from the front, and
 - (ii) View from above.





and the second	Part	list	
8. no.	Name of part	Material	No. off
1.	Cesting	C.I.	1
2.	Nut	G.M.	1
3.	Screw	M.S.	1
4.	Cup	Cast steel	1
5.	Washer	M.S.	1
6,	Screw	M.S.	1
7.	Tommy bar	M.S.	1

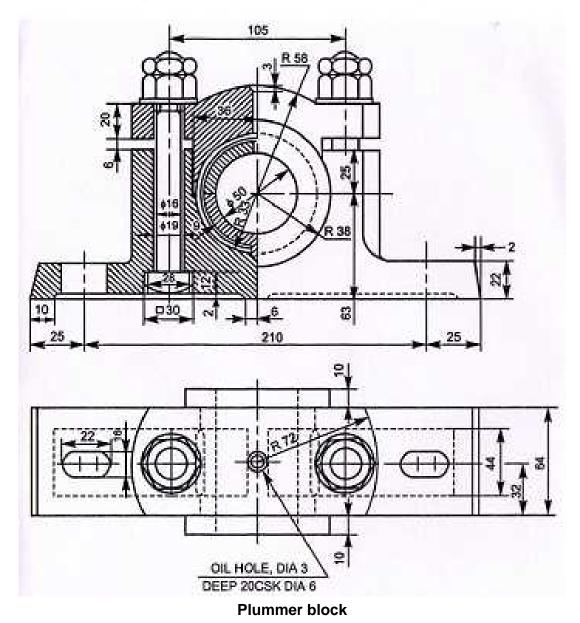
- 6. Assemble all parts of the stuffing box for a vertical steam engine, shown in below figure and draw,
 - (i) half sectional view from the front, with left half in section,
 - (ii) half sectional view from the right and
 - (iii) view from above.



Stuffing box

Part-III Answer any One question from the following (1 x 25 = 25Marks)

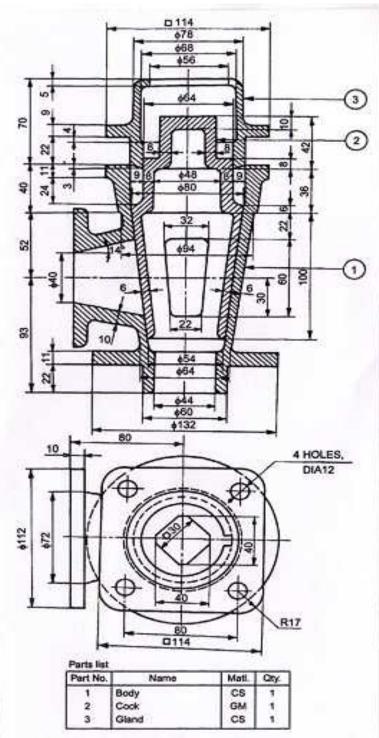
7. Prepare the part drawings of the Plummer block, shown in below figure



Parts List:

S.No.	Name	Material	Quantity
1	Base	CI	1
2	Bearing Brass	Bronze	1
3	Bearing Brass	Bronze	1
4	Cap	CI	1
5	Bolt with Nuts	MS	2

8. Prepare the part drawings of the Blow-off cock, shown in below figure



Blow-off cock