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		B	Build	ling						onst	ruci	ion					
Max. I	Mar	ks: 70			(0	Civil	Engi	neel	ring)						Time	· 3 Ho	Irs
	-	er all five units	s by a	cho	osing	one	e que	stior	n fron	n ea	ch u	nit (5 x	14 =	-		015
							*****		T 1	7							
1.	a)	Briefly descr	ribe tl	he d	ressi	na of	fabi	UNI [.] uildin		ne.							7N
	b)	What precau				•			•								7N
	,							OF	•								
2.	a)	Write about	the p	roce	ess o	f mai	nufac	ture	of br	icks.							7N
	b)	Compare cla	amp l	ourn	ing w	/ith k	iln bu	urning	g.								7N
								UNI	[—]]								
3.	a)	Elucidate the	e pro	cess	of n	nanut	factu	re of	tiles.	Wha	at ar	e the	ch	arac	teristi	cs of a	
		good tile?	<i>.</i> .														7N
	b)	List the uses	of alu	minu	ım, g	lass a	and b			mate	rials	in diff	ere	nt co	nstruc	tions.	7N
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4.	a)											7N					
	b)	what are the	e anne	eren	ττγρε	es or		UNIT		used		spec	IIIC	puŋ	oses	ſ	7N
5.	a)	What is seas	sonin	a of	timb	er? E			-111								7N
	b)	Give the def		0			- 1										7N
	,							OF	2								
6.		What are the	e alte	rnate	e rep	lacer	nent	mate	erials	for v	vood	? Ex	pla	in in	detail	giving	
		justifications	.							_							14N
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7.		Draw and ex Bond.	plain	the	plan	and	eleva	ation	ofac	one a	nd a	half	brie	CK Wa	all in E	nglish	14N
		Donia						OF	R								
8.		Explain diffe	erent	type	s of	shall	ow fo			s us	ed fo	or dif	fere	ent s	tructu	res, in	
		various cond		•••												,	14N
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9.	a)	Write, in det								•							7N
	b)	Differentiate of lintels and		•		en a	linte	l and	l an a	arch.	Wha	at are	e th	e di	ferent	types	7N
				162 :				OF	,								710
10.	a)	Give the car	ises	of da	amor	iess	in hu			/hat i	is a l	DPC'	? W	/hv :	and ho	ow is it	
	~)	provided? E										•		, (7N
	b)	Explain, in a	deta	iled	man	ner,	the p	urpo	se of	sca	foldi	ng a	nd	form	Time: 3 Hou 70Marks) eteristics of a onstructions. poses? detail giving all in English atructures, in fferent types and how is it	7N	
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Page **1** of **1**

II B. Tech. I-Semester Supplementary Examinations May 2017 Electrical & Mechanical Technology

(Civil Engineering)

Max. Marks: 70 Answer all five units by choosing one question from each unit (5 x 14 = 70Marks) Use separate booklets for Part-A & Part-B

PART-A

UNIT–I

- 1. a) Explain resistance, inductance and capacitance elements in detail.
 - b) Two resistances of 50 and 40 respectively are connected in parallel. A third resistance of 10 is connected in series with the combination and a D.C supply of 220 V is applied to the ends of the completed circuit. Calculate the current in each resistance.

OR

- 2. a) Discuss about various types of D.C generators.
 - b) A 4-pole wave connected DC generator having 60 slots on its armature with 6 conductors per slot, run at 750 rpm and generate an open circuit voltage of 230V. Find the useful flux per pole.

UNIT–II

- 3. a) Derive the condition for maximum efficiency of a transformer.
 - b) Explain the procedure to conduct the following tests on a single phase transformer.i) Open circuit test and ii) Short circuit test

OR

- 4. a) What is an alternator? What is its operating principle?
 - b) Derive the expression for Torque of a 3- ø Induction motor.

PART-B

UNIT–III

- 5. a) Classify various types of welding rods.
 - b) What are the essential characteristics of a flux?

OR

- 6. a) Name the tools and equipment used in electric arc welding. Describe the working principle of arc welding.
 - b) Compare A.C. and D.C. arc welding.

UNIT–IV

- 7. a) Mention the necessity of lubrication. State the main functions of a lubricating system in an I.C. Engine.
 - b) Write a brief note on pressure lubrication system.

OR

- 8. a) List the important equipment and machinery used in earth moving.
 - b) Explain the factors which are taken into consideration in the selection of earth moving machinery.

UNIT-V

- 9. a) How is the performance of a refrigeration system measured?
 - b) Mention the basic requirements of a good refrigerant. Discuss relative merits and demerits of F-12 and NH₃ as refrigerants.

OR

10. Draw a line diagram of an air-conditioning system used for hot and humid weather conditions and explain the purpose of each component.

R-15Code: 5GC31II B.Tech. I Semester Supplementary Examinations May 2017Engineering Mathematics –III(Common to CE & ME)Time: 3 HourAnswer all five units by choosing one question from each unit ($5 \times 14 = 70$ Marks)*********UNIT-I1. a) Find the values of a and b for which the equations $x + ay + z = 3$, $x + 2y + 2z = b$, $x + 5y + 3z = 9$ are consistent. When will these equations have a unique solution?b) Find the rank of the matrix $\begin{bmatrix} 5 & 5 & 5 \\ 1 & 4 & 0 & 7 \\ 0 & -2 & 1 & 3 \end{bmatrix}$ by reducing it into Row-Echelon form.OR2. a) Prove that the sum of the eigen values of a matrix is the sum of the elements of the principal diagonal.b) Verify Cayley-Hamilton theorem for $A = \begin{bmatrix} 2 & 1 & 1 \\ 0 & 1 & 0 \\ 1 & 1 & 2 \end{bmatrix}$ and hence find A^{-4} and A^3 .UNIT-II3. a) Find a recurrence formula to calculate \sqrt{N} using Newton-Raphson method and hence evaluate $\sqrt{17}$.b) Estimate the values of $f(1.2)$ and $f(2)$ from the date given. $\frac{x}{f(x)}$ $\frac{1}{3.49}$ $\frac{1.4}{4.82}$ $\frac{1.8}{2.96}$ $\frac{2.2}{6.5}$ OR4. The following table gives the velocity v of a particle at time t : $\frac{I}{(sec)}$ $\frac{0}{2}$ $\frac{2}{4}$ $\frac{6}{6}$ $\frac{8}{10}$ $\frac{12}{12}$ Find the distance moved by the particle in 12 seconds and also the acceleration at $t = 6$ seconds.	Hall T	Ticket Number :	
If B.Tech. I Semester Supplementary Examinations May 2017 Engineering Mathematics –III (Common to CE & ME) Max. Marks: 70 Answer all five units by choosing one question from each unit ($5 \times 14 = 70$ Marks) ********* UNIT-I 1. a) Find the values of a and b for which the equations $x + ay + z = 3, x + 2y + 2z = b, x + 5y + 3z = 9$ are consistent. When will these equations have a unique solution; b) Find the rank of the matrix $\begin{bmatrix} 5 & 5 & 5 \\ 1 & 4 & 0 & 7 \\ 0 & -2 & 1 & 3 \end{bmatrix}$ by reducing it into Row-Echelon form. OR 2. a) Prove that the sum of the eigen values of a matrix is the sum of the elements of the principal diagonal. b) Verify Cayley-Hamilton theorem for $A = \begin{bmatrix} 2 & 1 & 1 \\ 0 & 1 & 0 \\ 1 & 1 & 2 \end{bmatrix}$ and hence find A^{-1} and A^3 . UNIT-II 3. a) Find a recurrence formula to calculate \sqrt{N} using Newton-Raphson method and hence evaluate $\sqrt{17}$. b) Estimate the values of $f(1.2)$ and $f(2)$ from the date given. $\frac{x}{1}$ $\frac{1}{14}$ $\frac{1.4}{1.8}$ $\frac{2.2}{5.96}$ $\frac{6.5}{6.5}$ OR 4. The following table gives the velocity v of a particle at time t : $\frac{t}{v}$ (sec) $\frac{0}{2}$ $\frac{2}{4}$ $\frac{4}{6}$ $\frac{6}{16}$ $\frac{31}{20}$ $\frac{12}{136}$ Find the distance moved by the particle in 12 seconds and also the acceleration at $t = 6$ seconds.			-15
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3. a) Find a recurrence formula to calculate \sqrt{N} using Newton-Raphson method and hence evaluate $\sqrt{17}$. b) Estimate the values of $f(1.2)$ and $f(2)$ from the date given. $\frac{x 1 1.4 1.8 2.2}{f(x) 3.49 4.82 5.96 6.5}$ OR 4. The following table gives the velocity v of a particle at time t : $\frac{t (\sec) 0 2 4 6 8 10 12}{v (m/s) 4 6 16 34 60 94 136}$ Find the distance moved by the particle in 12 seconds and also the acceleration at $t = 6$ seconds.	b)		A ³ . 8
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v (m/s)4616346094136Find the distance moved by the particle in 12 seconds and also the acceleration at $t = 6$ seconds.UNIT-III			
at <i>t</i> = 6 seconds.			
			ration 14
5. Find $y(0.1)$ and $y(0.5)$ by Taylor's series method from $\frac{dy}{dx} = xy + 1$, $y(0) = 1$.			
ax	5.	Find $y(0.1)$ and $y(0.5)$ by Taylor's series method from $\frac{dy}{dx} = xy + 1$, $y(0.5)$)) = 1.
Compare the numeric solution with its exact solution.		Compare the numeric solution with its exact solution.	14

6. Apply Milne's method to find a solution of $\frac{dy}{dx} = x - y^2$, y(0) = 0 in the range $0 \le x \le 1$.

8M

4M

UNIT–IV

Obtain Fourier series of a function f(x) = |x|, -f < x < f and hence deduce that 7.

$$\frac{1}{1^2} + \frac{1}{3^2} + \frac{1}{5^2} + \frac{1}{7^2} + \dots = \frac{f^2}{8}.$$
 14M

OR

8. a) Form the partial differential equation by eliminating arbitrary constants a, b, cfrom $(x-a)^2 + (y-b)^2 + z^2 = c^2$.

b) Solve
$$\frac{\partial^2 z}{\partial x \partial y} - \frac{x}{y} = 100$$
 by the method of separation of variables. 6M

9. Find the analytic function
$$f(z) = u + iv$$
, if $2u + v = e^{x}(\cos y - \sin y)$. 14M
OR

10. a) Evaluate
$$\oint_c \frac{e^z \cos z}{\left(z - \frac{f}{2}\right)^2} dz$$
, where c is $|z| = 2$.
10M

b) Evaluate $\oint z^2 \cot z \, dz$, where *c* is the unit circle.

UNIT-V

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Max.	Mar	⁻ ks: 70			(Eng	inee	nng					Time: 3 Hc	ours
A	nswe	er all five units	s by a	choc	osing		que ****		fron	n ea	ch ur	nit (5	5 x 14	= 70 Marks)	
							****		T–I	7					
1.	a)	State and pr	ove	Pasc	al's l	aw									7M
	b)													. The pressure	
		inside a water droplet is 0.22KN/m ² greater than the outside pressure. Calculate the diameter of the water droplet. Derive the equation used.													
		OR													7M
2.	a)	Derive an expression for total pressure for a vertical plane surface submerged												1	
															6M
	b)														
		greatest and least depth below the free surface is 4 m and 1.5 m respectively. Determine the total pressure on one face of the plate and position of the centre													
		of pressure.		lai pi	6330				5 OI U	ie pie	ale ai	iu pc	511101		8M
								UNI	T—II						
3.	a)	Describe the use and limitations of flow nets										4M			
	b)	Designibe the use "represent the two velocity components. $5 = 5$													
		The 3 pollowing cases index in the third component of velocity and that they, $v = 3xy - 2y + z^3$ Determine the third component of velocity and they													10M
		satisly the 6	ontin	uity	equa	uon.		OR)						TUIV
4.	a)	What is imp	ulse-	mom	nentu	m th	eore	-		e the	sam	е			7M
	,	•											gh a	0.3 m pipe at	
	,	the rate of 0.25 cumecs. If the pipe is bent by 135°, find the magnitude and													
		direction of the resultant force on the bend.												7M	
_								UNI	[_]]]						
5.	a)	Explain the								. 4	il.		4 - 11		4M
	b)													urfaces in the er 0.30 m and	
							•			•	•			0.30 m ³ /sec.	
		Consider all	loss	es ai	nd ta	ke th	ne va			0.016	5.				10M
0	-)						• • •	OF					. ()	and a site of a	
6.	a)	flowing liqui		ide a	ana e	expia	in no	DW IT	is us	sea t	o me	easur	e the	e velocity of a	5M
	b)	•		nroat	diar	nete	r of	a V	entur	imet	er ai	е 0.	3 m	and 0.15 m,	
	,	respectively	. The	ə liq	uid f	lowir	ng th	roug	h the	e me	eter i	s wa	iter.	The pressure	!
		•									•			d at the throat he differential	
				-										$e of C_d$ for the	

Venturimeter.

9M

2M

UNIT–IV

- 7. a) What do you mean by Viscous flow?
 - b) An oil of viscosity 0.1 N-Sec/m² and relative density 0.90 is flowing through a circular pipe of diameter 50 mm and of length 300 m. The rate of flow of fluid through the pipe is 0.0035 lit/sec. Find the pressure drop in a length of 300 m and also the shear stress at the pipe wall.

OR

- 8. a) What is the difference between hydro dynamically smooth and rough pipes? 4M
 - b) Calculate: (i) the pressure gradient along flow, (ii) the average velocity, and (iii) the discharge for an oil of viscosity 0.02 N-s/m² flowing between two stationary parallel plates 1 m wide maintained 10 mm apart. The velocity midway between the plates is 2 m/s

UNIT-V

- 9. a) Explain the term "dimensionally homogeneous equation"
 - b) A spillway model is to be built to geometrically similar scale of 1/50 across a flume of 600 mm width. The prototype is 15 m high and maximum head on it is expected to be 1.5 m. (i) what height of model and what head on the model should be used? (ii) If the flow over the model at a particular head is 0.012 m³ per second, what flow per metre length of the prototype is expected? (iii) If the negative pressure in the model is 200 mm, what is the negative pressure in prototype? Is it practicable?

10M

6M

8M

4M

OR

- 10. a) Define and explain Reynold's number, Froude's number and Mach number.
 - b) The discharge Q over a small rectangular weir is known to depend upon the head H over the weir, the weir height P, gravity g, width of the weir L and fluid properties: density , dynamic viscosity μ and surface tension . Express the relationship between the variables in dimensionless form

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II B.Tech. I Semester Supplementary Examinations May 2017														
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Strength of Materials-I														
	(Civil Engineering)													
Max. Marks: 70										Time: 3 Hours				
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Answer all five units by choosing one question from each unit ($5 \times 14 = 70$ Marks)

UNIT–I

- 1. a) Define modulus of resilience.
 - b) A steel tie rod 20 mm diameter is encased in a copper tube of external diameter of 36 mm and internal diameter of 24 mm with the help of washers and nuts. The nut on the tie rod is tightened and the assembly is subjected to a tensile load of 20 kN. The temperature of the assembly is now raised to 800C. Determine the resultant stresses in the rod and the tube.

Take Es=210 GPa, Ec = 100 GPa, s=11 x $10^{-6} / {}^{0}C$ and c =18 x $10^{-6} / {}^{0}C$. 12M

OR

- 2. a) What are temperature stresses? Derive a expression for temperature stress. 5M
 - b) A 20 mm square bar deformed by 0.11 mm in a gauge length of 100 mm under an axial tensile force of 50 kN. If the Poisson's ratio of the material is 0.3, compute the stress induced in the bar and the three elastic moduli. Also calculate the volume change.
 9M

UNIT–II

- 3. a) When do you observe an abrupt change in SFD and BMD? Explain each of these cases
 - b) What are points of contra flexure? Locate the same in case of a doubly over hanging beam of overhanging spans of 2 m each, with a central span of 8 m, subjected to a UDL of 4 kN/m over the entire beam in addition to a central point load of 20 kN. Also draw the shear force and bending moment diagrams.

OR

- 4. a) Draw shear force diagram and bending moment diagram for a cantilever beam of 3 m span carrying a concentrated moment 10 kN-m at the free end.
 - b) Draw SFD and BMD for a simply supported beam of span 4 m and carrying a point load of 20 kN at 1m from left hand support in addition to a udl of 5 kN/m throughout the span.

UNIT–III

- 5. a) Draw the shear stress distribution diagrams across circular, rectangular and H sections.
 - b) A T-section is used as a cantilever of span 1.5 m. A point load of 2.0 kN is acting at the free end of the cantilever in addition to a udl of 3 kN/m from the free end to a distance of 1.0 m. The flange is 100 x 20 mm and web is 10 x 150 mm deep. Calculate the maximum tensile and compressive stresses in the section.

OR

4M

10M

10M

2M

4M

7M

7M

4M

- 6 a) Write the flexure formula and discuss its applications
 - b) A simply supported beam of T- section with flange of size 120mm x 20 mm thick and a web of size 180 mm x 20 mm carries a uniformly distributed load on an effective span of 4 m. If the allowable stress in bending and shear are 12 N/ mm² and 5 N/ mm² respectively, what is the safe value of the udl that can be placed on the beam including self-weight?

UNIT–IV

7.	a)	Prove, from the fundamentals, that the deflection at the free end of a cantilever of span 'L' carrying a load of 'W' at a distance 'a' from the fixed end and flexural rigidity 'EI' is W $a^3 / 3 EI + (W a^2 / 2 EI)$ (L-a).	7M
	b)	Find the maximum deflection of the simply supported beam of span 8 m, when it carries a udl of 40 kN/m for a length of 4m. The udl starts from 1m from the left hand support. Take E=200 GPa and I = 4.3×10^8 mm ⁴ .	7M
		OR	
8.	a)	Write Mohr's theorems and explain	4M
	b)	A simply supported beam of span 10 m is loaded by a point load at 8 m from the left hand support. The moment of inertia of the beam is '4I' for the left 8 m and 'I' for the remaining 2 meters length. Determine the slope at the supports and the deflection at	
		the mid-span. Take 'I'= 8 x 10 ⁻⁵ m ⁴ and E = 200 GPa. UNIT-V	10M
9.	a)	Derive an expression for elastic strain energy in bending.	6M
	b)	A simply supported beam of span 3 m is carrying point loads of 9 kN and 18 kN at 1 m and 2 m respectively from the left hand support. Determine the strain energy	
		stored in the beam due to bending.	8M
		OR	
10.	a)	Describe the construction steps of Mohr's Circle.	4M
	b)	Explain the various theories of failure.	10M

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